

Finite Temperature Effects in Dark Matter Production

Joachim Kopp

Particle Physics Seminar | ETH Zurich | April 24, 2018



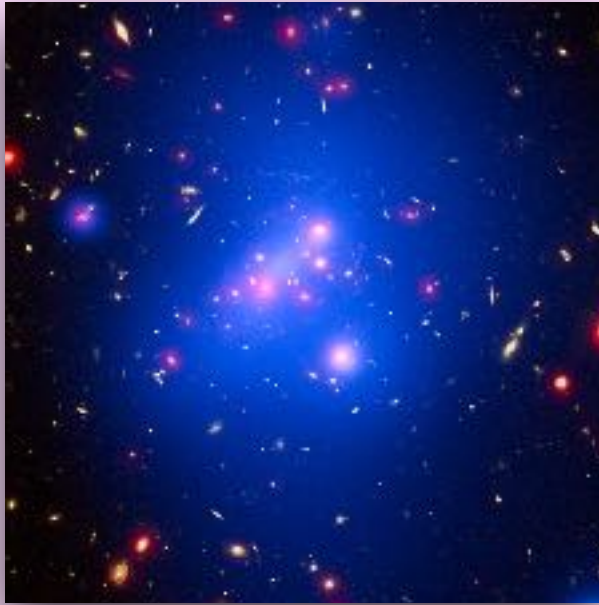
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Evidence for Dark Matter

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Galaxy Clusters

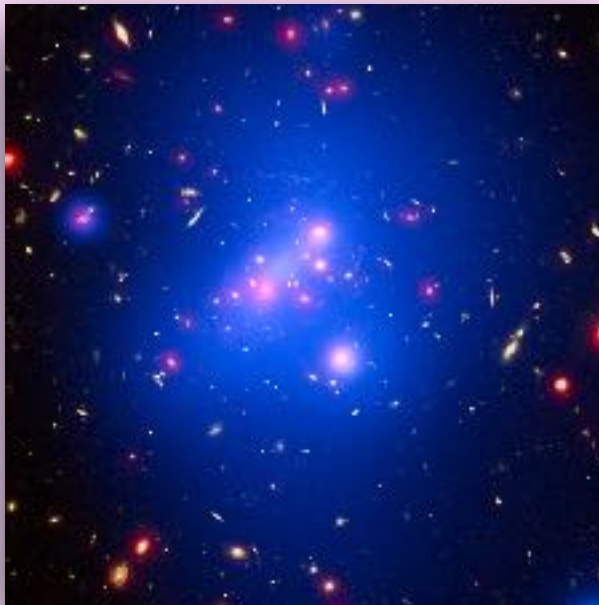


Virial Theorem: $E_{\text{kin}} = -\frac{1}{2}E_{\text{pot}}$

Zwicky, 1930s: $E_{\text{kin}} = -\frac{1}{2}E_{\text{pot}} \times 170$

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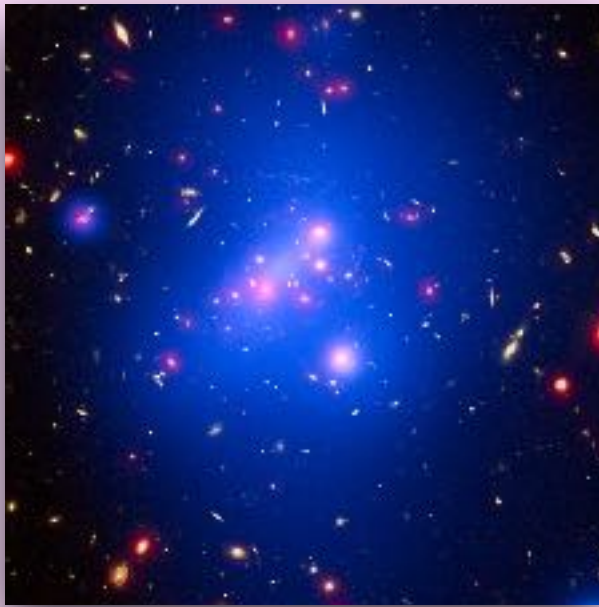


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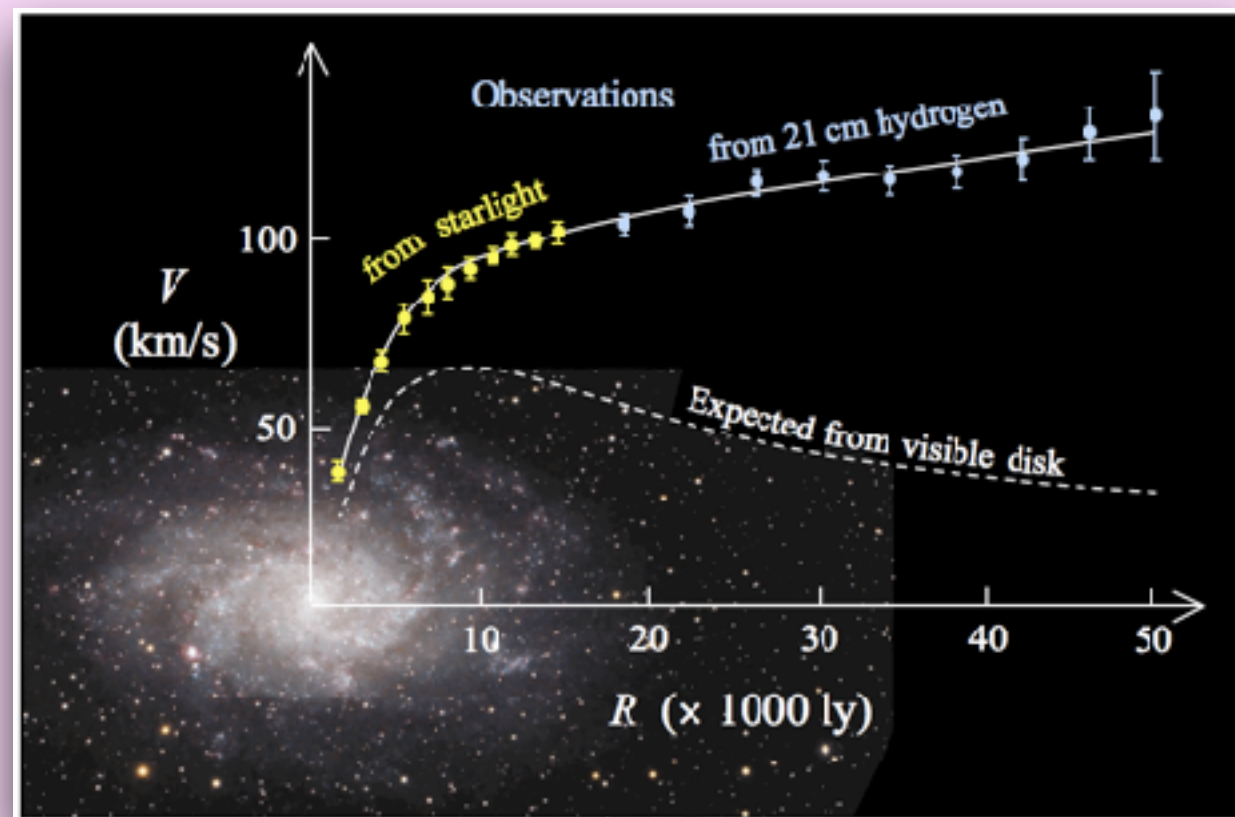
Galaxy Clusters



Virial Theorem: $E_{\text{kin}} =$

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Galaxy Rotation Curves



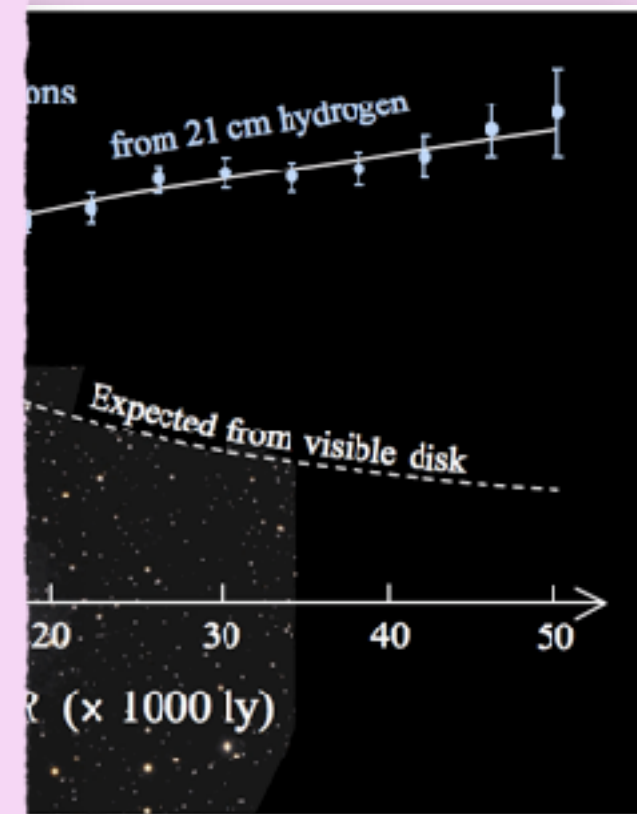
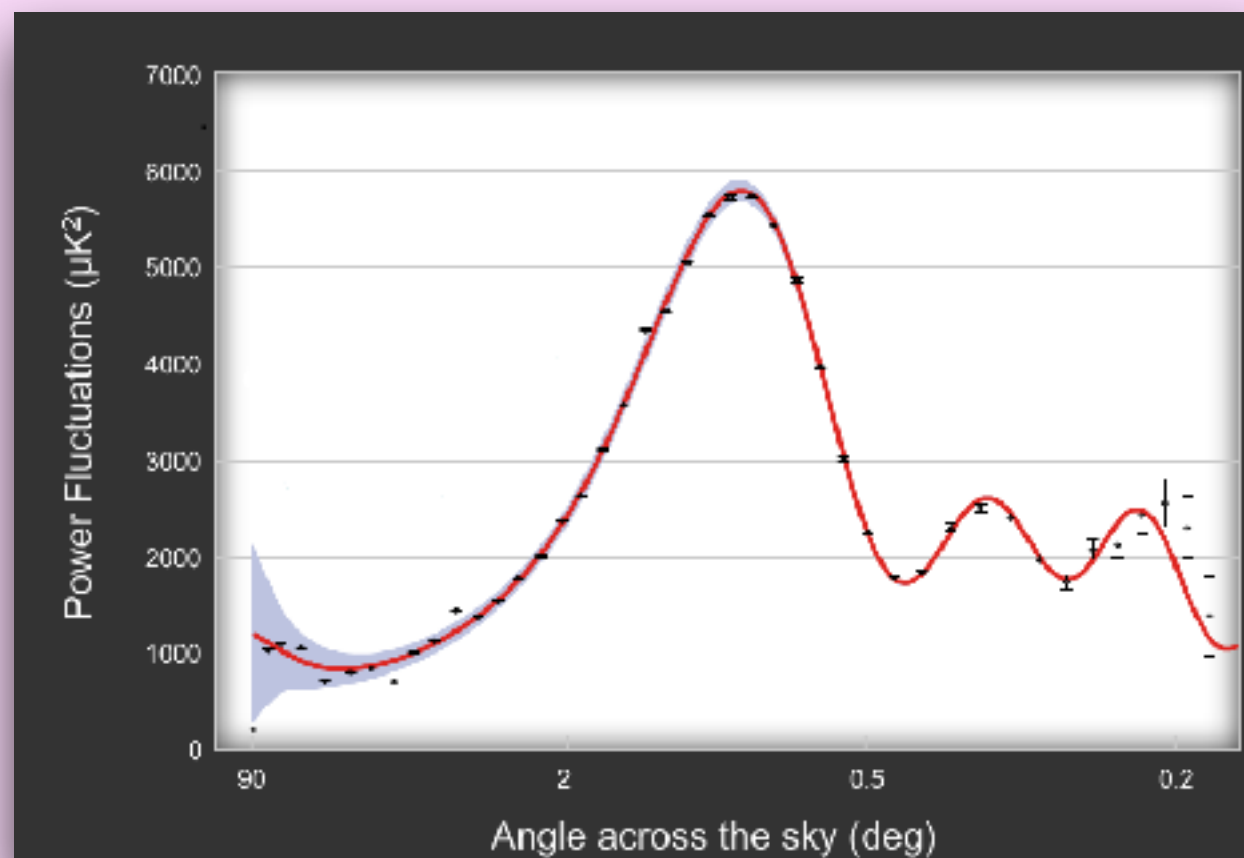
The Slide You've Seen 1000 Times

Galaxy Clusters



Galaxy Rotation Curves

Cosmic Microwave Background



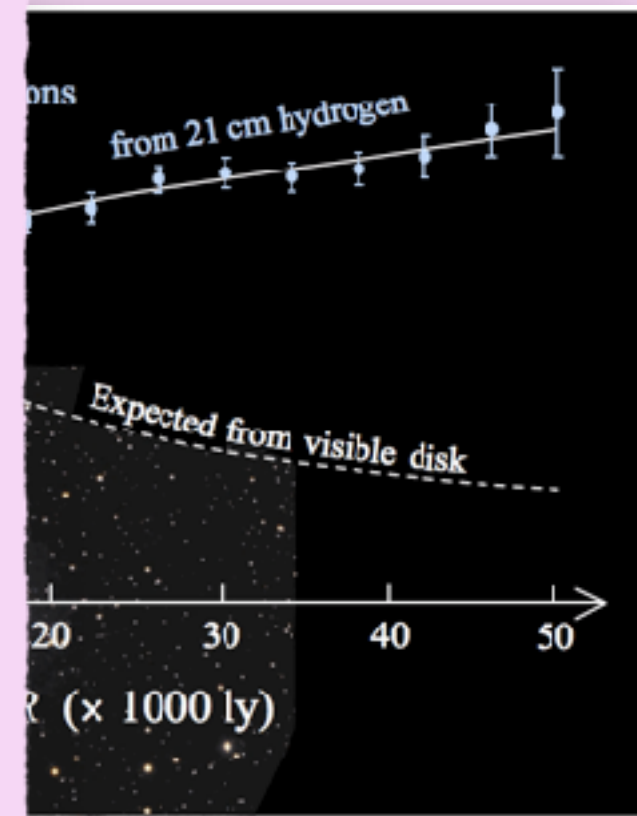
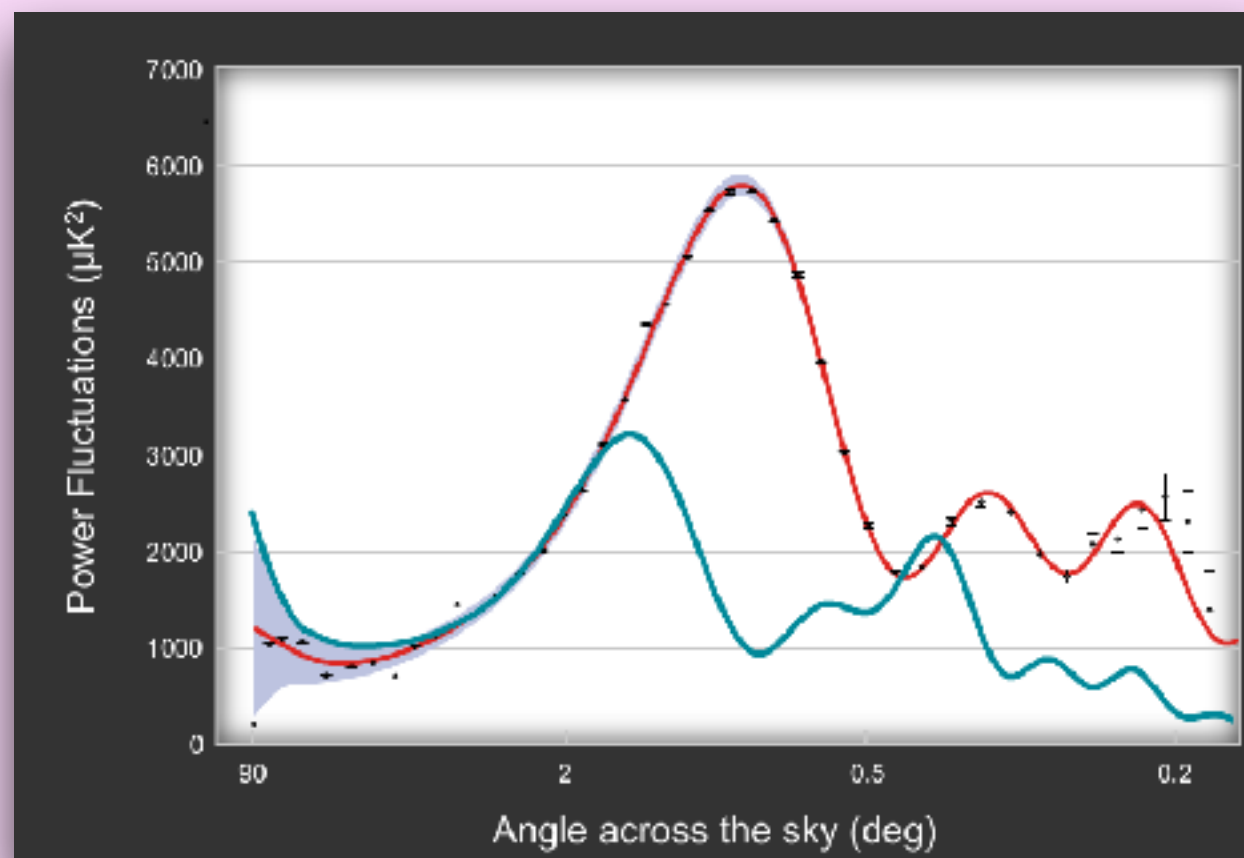
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Galaxy Clusters



Galaxy Rotation Curves

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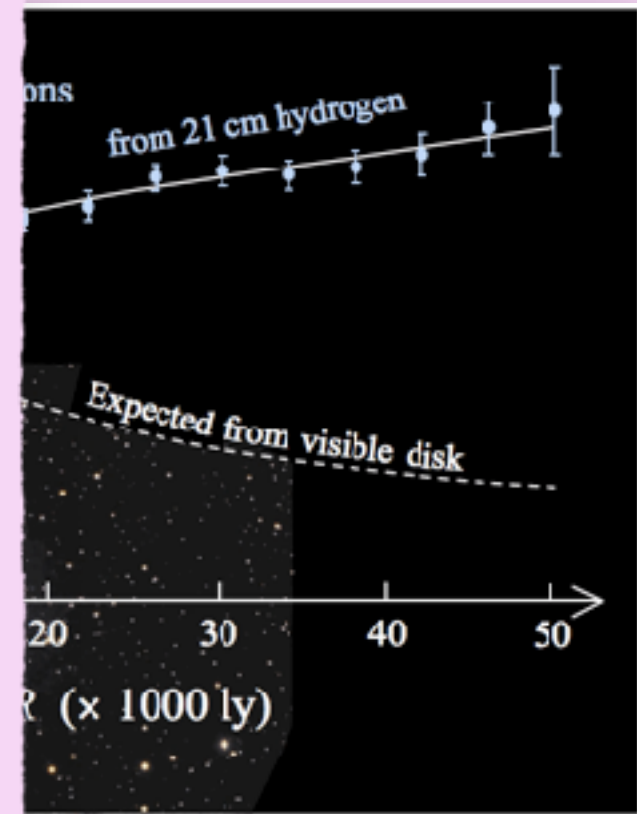


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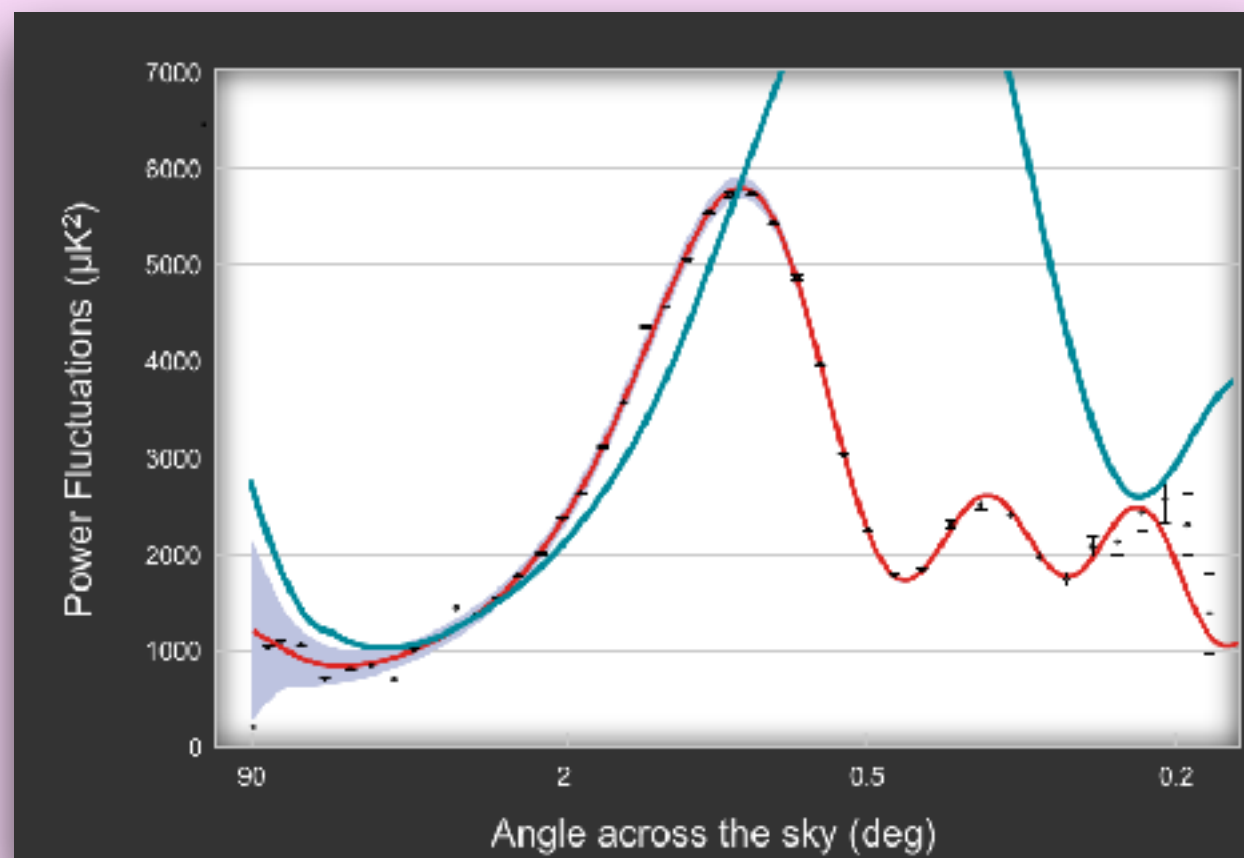
Galaxy Clusters



Galaxy Rotation Curves



Cosmic Microwave Background



Standard Lore: Thermal Freeze-Out

- ☑ Early on: DM in thermal equilibrium with SM

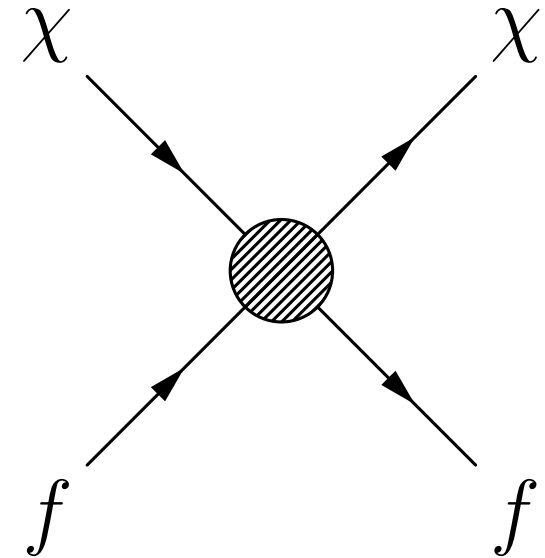
e.g. via $\bar{\chi}\chi \longleftrightarrow \bar{f}f$

- ☑ Number density: $n_{\chi,\text{eq}} = \int \frac{d^3p}{(2\pi)^3} \exp \left[-E_{\chi}(\vec{p})/T \right]$

- ☑ T drops, interactions freeze out

- ☑ Described by Boltzmann equation

$$\frac{dn_{\chi}}{dt} + 3n_{\chi}\frac{\dot{a}}{a} = - \left(n_{\chi}^2 \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle - n_f^2 \langle \sigma(\bar{f}f \rightarrow \chi\chi) v_{\text{rel}} \rangle \right)$$



Standard Lore: Thermal Freeze-Out

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☑ Detailed balance: $n_f^2 \langle \sigma(\bar{f}f \rightarrow \chi\chi) v_{\text{rel}} \rangle = n_{\chi,\text{eq}}^2 \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle$

☑ Final Boltzmann equation

$$\frac{dn_\chi}{dt} + 3n_\chi \frac{\dot{a}}{a} = - \langle \sigma(\chi\chi \rightarrow \bar{f}f) v_{\text{rel}} \rangle (n_\chi^2 - n_{\chi,\text{eq}}^2)$$

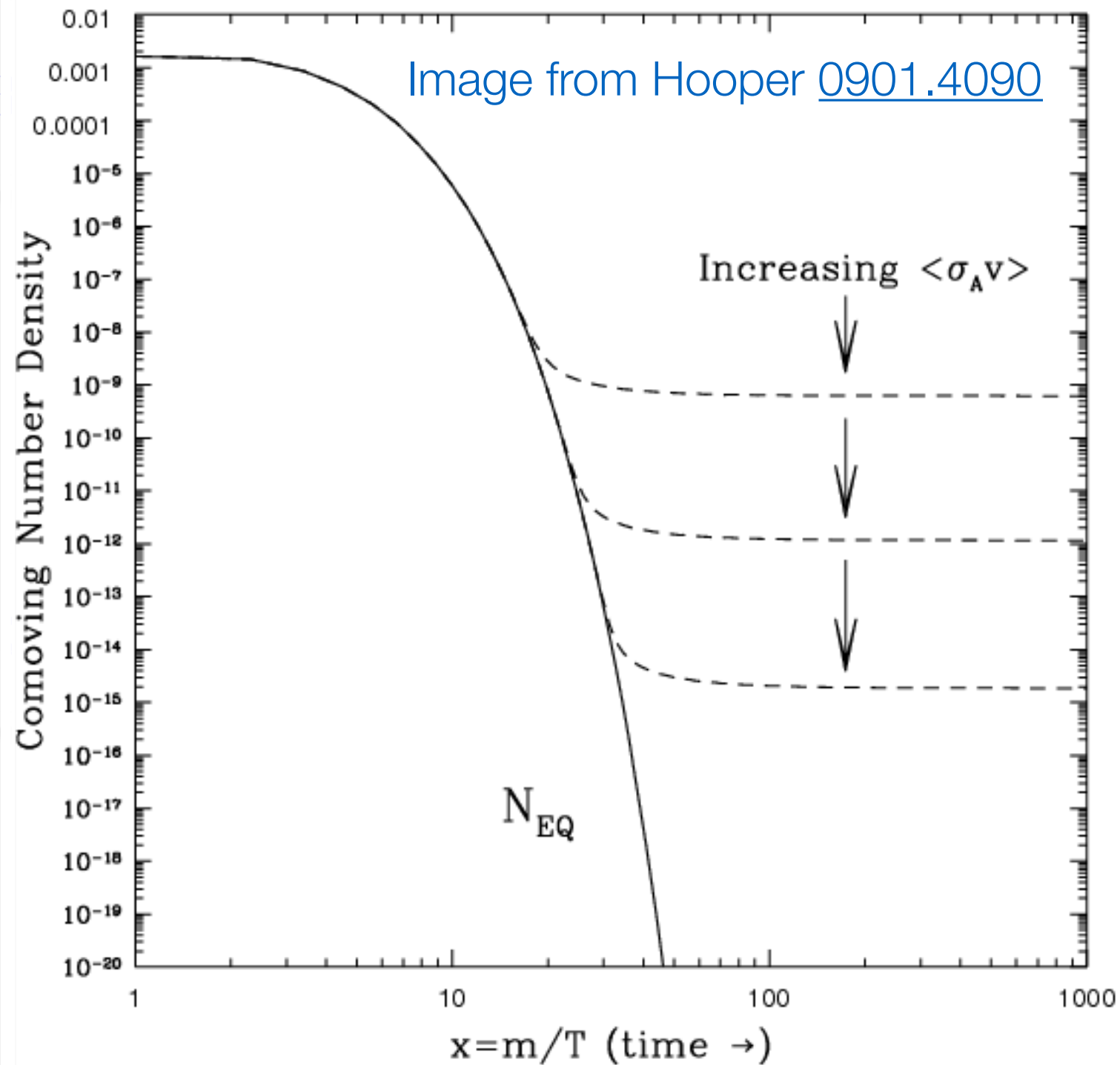
Standard Lore: Thermal Freeze-Out

$$\frac{dn_\chi}{dt} + 3n_\chi \frac{H}{H} = -\langle \sigma_A v \rangle n_\chi^2$$

☑ Detailed

☑ Final Bo

$$\frac{dn_\chi}{dt} + 3n_\chi \frac{H}{H} = -\langle \sigma_A v \rangle n_\chi^2$$

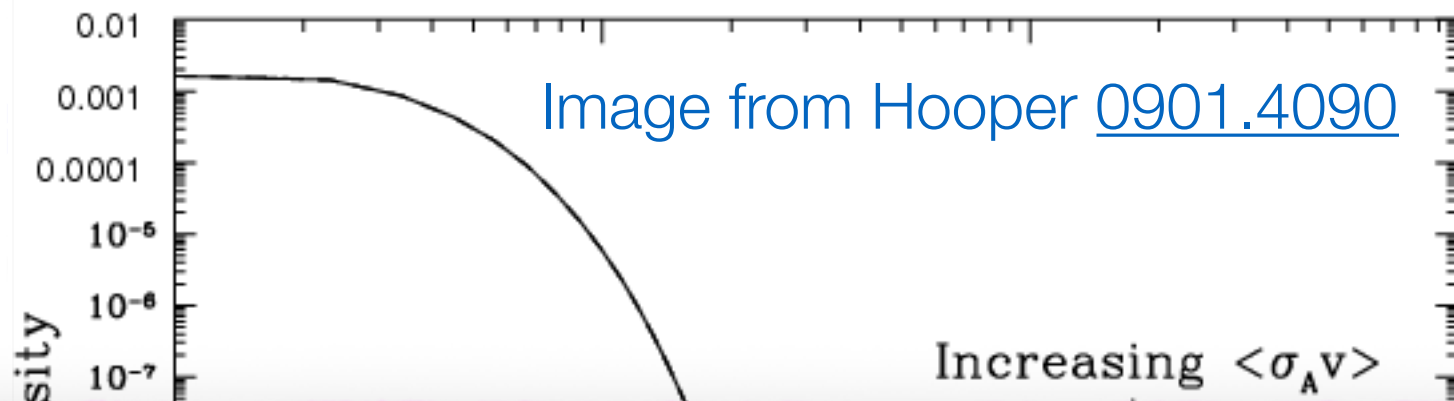


$$\rightarrow \chi\chi \rightarrow f\bar{f} v_{rel} \rangle$$

$$\chi\chi \rightarrow f\bar{f} v_{rel} \rangle$$

Standard Lore: Thermal Freeze-Out

$$\frac{dn_\chi}{dt} + 3n_\chi \frac{da}{dt} = -\langle \sigma v \rangle n_\chi^2$$

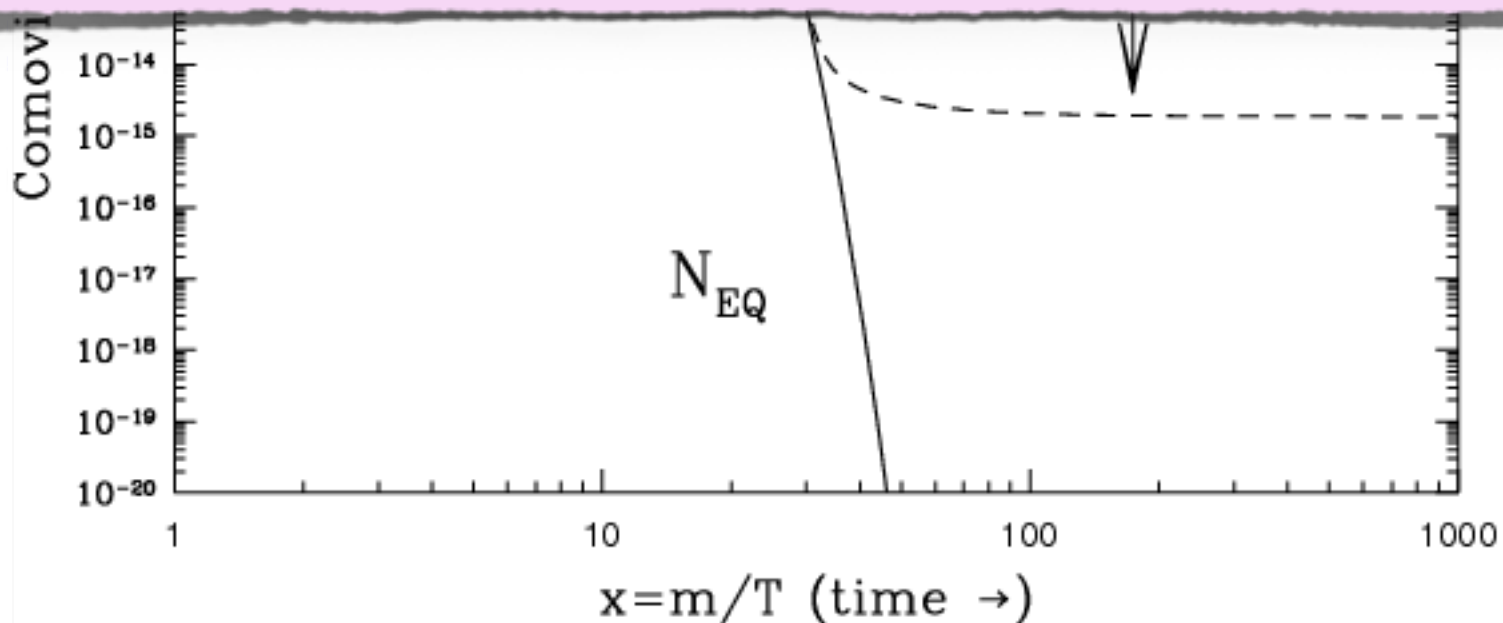


$$\langle \sigma(\chi\chi \rightarrow f\bar{f}) v_{\text{rel}} \rangle$$

observed relic abundance obtained for

$$\langle \sigma(\chi\chi \rightarrow f\bar{f}) v_{\text{rel}} \rangle \simeq 2.2 \times 10^{-26} \text{ cm}^3/\text{sec}$$

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- ☑ Expect new particles at $\sim 100 \text{ GeV}$
- ☑ SM-like couplings $\sim \alpha_{\text{em}} \sim 0.01$
- ☑ Expect $\langle \sigma(\chi\chi \rightarrow \bar{f}f)v_{\text{rel}} \rangle \simeq \text{few} \times 10^{-26} \text{ cm}^3/\text{sec}$

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WIMP Miracle



Phase Transitions in the Early Universe

- ☑ Properties of the primordial plasma change dramatically during **phase transitions**
- ☑ **Electroweak phase transition ($T \sim 160 \text{ GeV}$)**
 - Electroweak symmetry broken $SU(2)_L \times U(1)_Y \rightarrow U(1)_{\text{em}}$
 - Higgs acquires **vev** v_H , **fermions** and **gauge bosons** become massive
 - **cross-over** in the SM, but can be **1st** or **2nd** order in BSM models
 - order parameter: v_H
- ☑ **QCD phase transition ($T \sim 200 \text{ MeV}$)**
 - chiral symmetry broken $SU(3)_L \times SU(3)_R \rightarrow SU(3)_V$
 - order parameter: $\langle q_L q_R \rangle$

- ☑ The Vev Flip-Flop: Temporarily Unstable Dark Matter
- ☑ Kinematically Induced Freeze-In: Impact of Thermal Masses
- ☑ Vev Flip-Flop Freeze-In: Switching Production Channels On/Off
- ☑ Summary

The Vev Flip-Flop

Temporarily Unstable Dark Matter



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Temporarily Unstable Dark Matter

☑ Question: Impact of Phase Transitions on DM Physics?

☑ Example:

- symmetry stabilizing DM is broken in phase transition
- DM partly decays
- 2nd phase transition restores symmetry

The Vev Flip-Flop

✓ Toy Model: SM + singlet scalar S

$$V^{\text{tree}} = -\mu_H^2 H^\dagger H + \lambda_H (H^\dagger H)^2 - \mu_S^2 S^\dagger S + \lambda_S (S^\dagger S)^2 + \lambda_p (H^\dagger H)(S^\dagger S)$$

✓ Typical behavior: 2-step phase transition

○ High T : $\langle S \rangle = 0, \langle H \rangle = 0$

○ Intermediate T : $\langle S \rangle \neq 0, \langle H \rangle = 0$

○ Low T : $\langle S \rangle = 0, \langle H \rangle \neq 0$

Profumo et al. [0705.2425](#)

Cline Laporte Yamashita Kraml [0905.2559](#)

Espinosa Konstandin Riva [1107.5441](#)

Cui Randall Shuve [1106.4834](#),

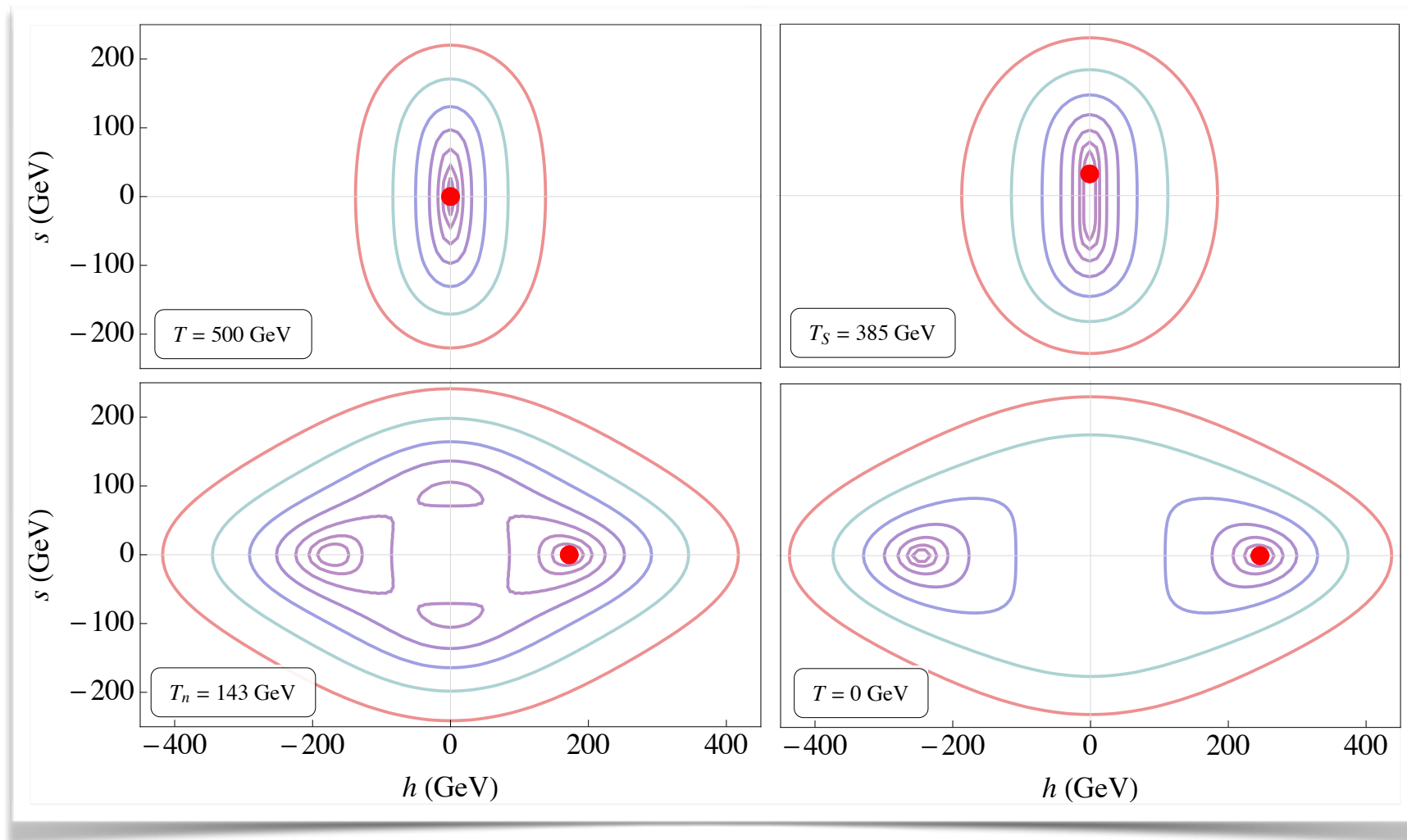
Cline Kainulainen [1210.4196](#)

Fairbairn Hogan [1305.3452](#)

Curtin Meade Yu [1409.0005](#)

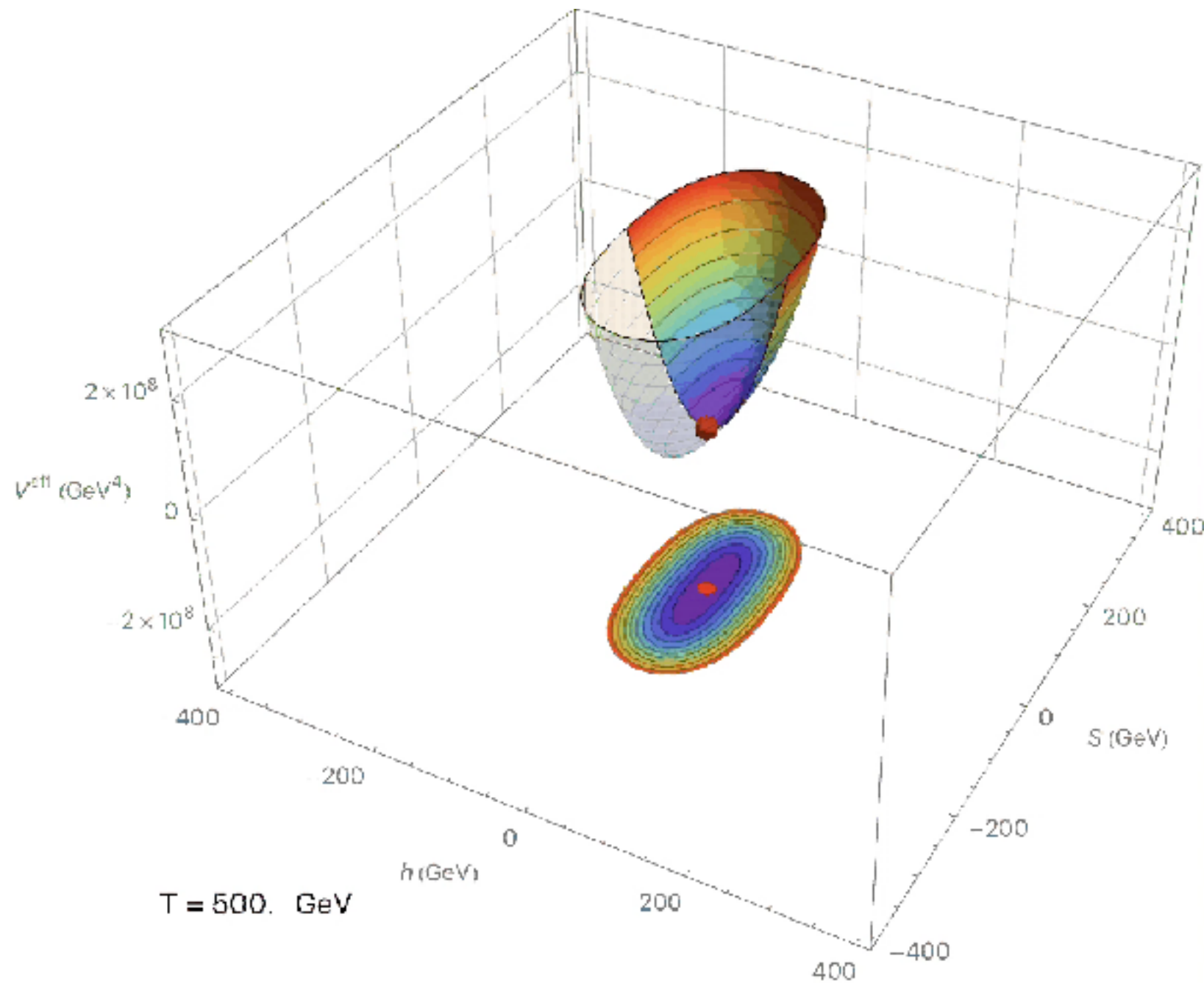
✓ Challenge: Make DM decay/annihilation rate $\propto \langle S \rangle$

The Vev Flip-Flop



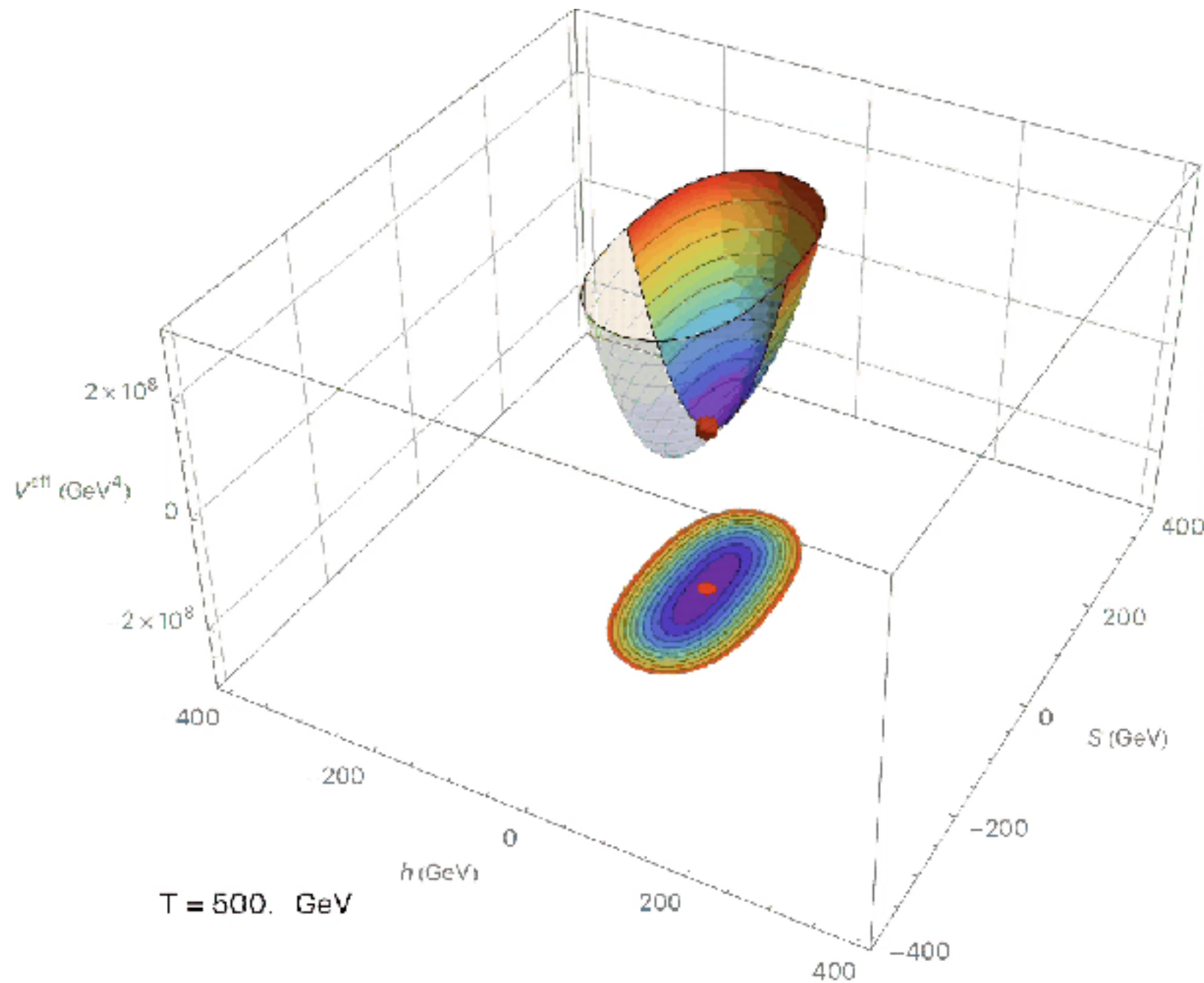
- ☑ $T > 400$ GeV: $\langle S \rangle = 0$, $\langle H \rangle = 0$ (V_{eff} dominated by thermal corrections)
- ☑ $T \sim 400$ GeV: S develops vev $\Rightarrow$ DM unstable
- ☑ $T \sim 150$ GeV: H develops vev $\Rightarrow$ Feedback through $\lambda_p (H^\dagger H)(S^\dagger S)$
 $\Rightarrow m_{S,\text{eff}}$ changes sign, $\langle S \rangle \rightarrow 0$, DM stable

The Vev Flip-Flop



Computed by Mike Baker using CosmoTransitions
Wainwright [1109.4189](#), Kozaczuk Profumo Haskins Wainwright [1407.4134](#)

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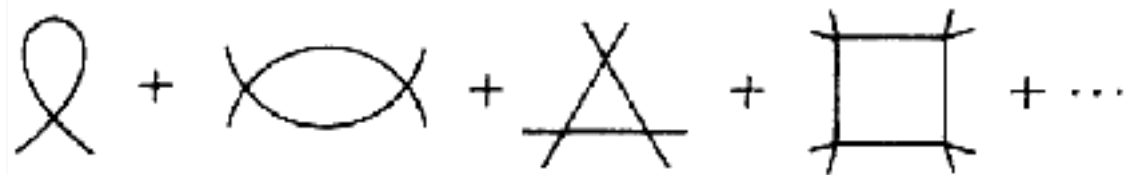
Scalar Potentials at Finite Temperature

☑ Tree level

$$V^{\text{tree}} = -\mu_H^2 H^\dagger H + \lambda_H (H^\dagger H)^2 - \mu_S^2 S^\dagger S + \lambda_S (S^\dagger S)^2 + \lambda_p (H^\dagger H)(S^\dagger S)$$

☑ Coleman—Weinberg

Coleman Weinberg 1973, Dolan Jackiw 1974



$$V^{\text{CW}}[\phi] = \sum_{n=1}^{\infty} \int \frac{d^4 k}{(2\pi)^4} \frac{1}{2n} \left(\frac{2\lambda\phi}{k^2 - m^2} \right)^n$$

- Sum over n
- Regularize, evaluate integral
- Renormalize by adding counterterms

$$V^{\text{CW}} = \sum_i \frac{n_i}{64\pi^2} m_i^4(h, S) \left[\log \frac{m_i^2(h, S)}{\Lambda^2} - \frac{3}{2} \right]$$

Scalar Potentials at Finite Temperature

✓ 1-loop finite T [Dolan Jackiw 1974](#)

- Impose periodic boundary conditions on path integral

$$Z[J] = \exp\left[-\frac{1}{2} \int d^4x d^4y J(x) D(x-y) J(y)\right]$$

- Propagator (Green's function) at finite T is

$$D(x-y) = \frac{\text{tr}\left[e^{-\beta\hat{H}} T\phi(x)\phi(y)\right]}{\text{tr}\left[e^{-\beta\hat{H}}\right]}$$

evaluate by solving $(\partial_\mu\partial^\mu + m^2)D(x-y) = -i\delta^{(4)}(x-y)$ (periodic b.c.)

- 1-loop expansion of V_{eff} : $V^{(1)} = \frac{i}{2} \text{tr} \log D^{-1}$

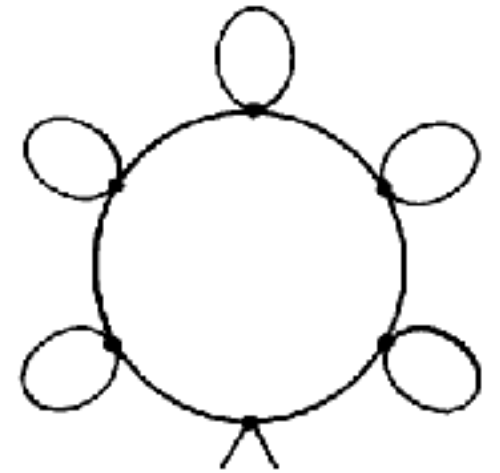
$$V^T = \sum_i \frac{n_i T^4}{2\pi^2} \int_0^\infty dx x^2 \log \left[1 \pm \exp \left(- \sqrt{x^2 + m_i^2(h, S)}/T \right) \right]$$

Scalar Potentials at Finite Temperature

☑ Resummed “Daisy” Corrections [Dolan Jackiw 1974](#), [Carrington 1992](#)

- n one-vertex bubbles, one n -vertex bubble:

$$\sum_n \left(\int \frac{d^4 k}{(2\pi)^4} \tilde{D}(k) \right)^n \cdot \int \frac{d^4 k}{(2\pi)^4} (\tilde{D}(k))^n$$



- One-vertex bubbles yield **thermal mass** $\Pi(T)$

$$V^{\text{daisy}} = -\frac{T}{12\pi} \sum_i n_i \left([m_i^2(h, S) + \Pi_i(T)]^{\frac{3}{2}} - [m_i^2(h, S)]^{\frac{3}{2}} \right)$$

Dark Matter Model Building Flowchart



A Toy Model

Field	Spin	SM	$\mathbb{Z}_3$	mass scale
S_3	0	(1, 3, 0)	$S_3 \rightarrow e^{2\pi i/3} S_3$	100 GeV
χ	$\frac{1}{2}$	(1, 1, 0)	$\chi \rightarrow e^{2\pi i/3} \chi$	TeV
ψ_3	$\frac{1}{2}$	(1, 3, 0)	$\psi_3 \rightarrow e^{-2\pi i/3} \psi_3$	TeV
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Baker JK [1608.07578](#)

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DM candidate

Baker JK [1608.07578](#)

A Toy Model

stabilizes DM

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DM decay products

Baker JK [1608.07578](#)

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DM candidate

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Baker JK [1608.07578](#)

$$\mathcal{L} \supset y_\chi S_3^\dagger \bar{\chi} \Psi_3 + y'_\chi S_3^\dagger \bar{\chi} \Psi'_3 + y_\Psi \epsilon^{ijk} S_3^i \bar{\Psi}_3^j (\Psi_3'^k)^c + h.c.$$

A Toy Model

stabilizes DM

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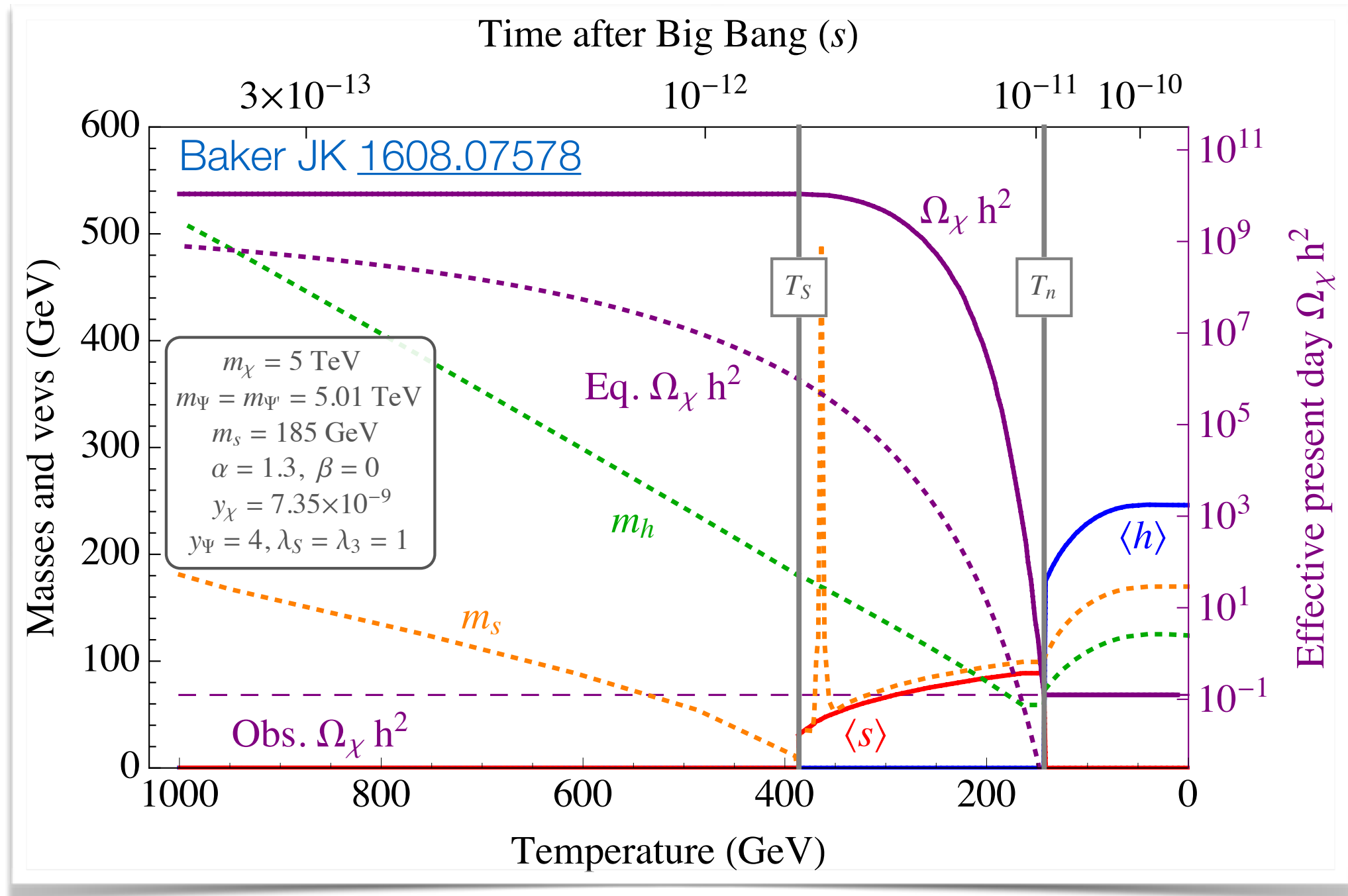
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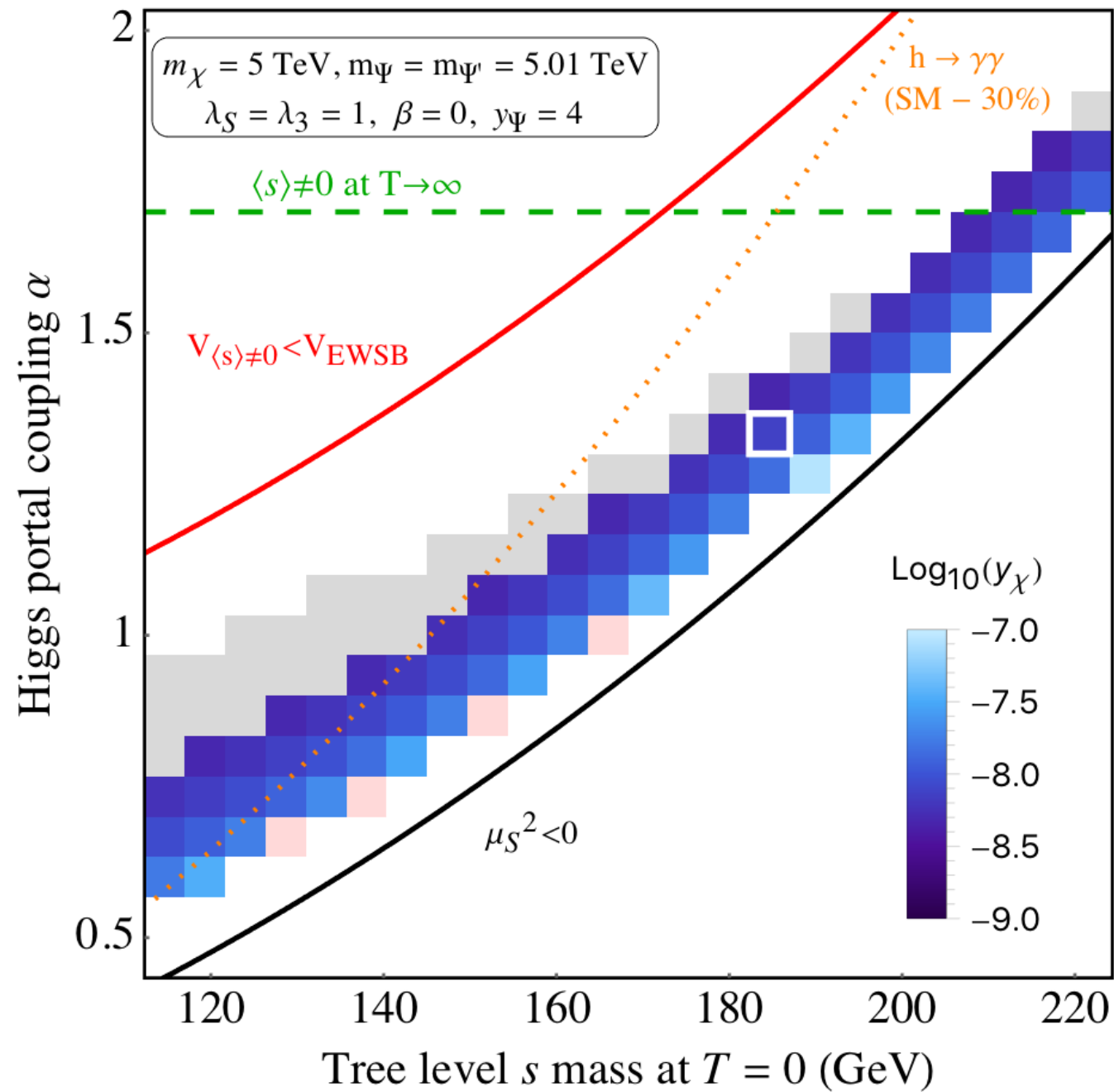
- ☑ $\langle S \rangle$ leads to mixing between χ , ψ_3 , ψ_3' alters ψ_3 , ψ_3' masses
- ☑ χ decays via $\chi \rightarrow W \psi_3$, $S \psi_3$ when $\langle S \rangle \neq 0$

Cosmological Evolution



Parameter Space

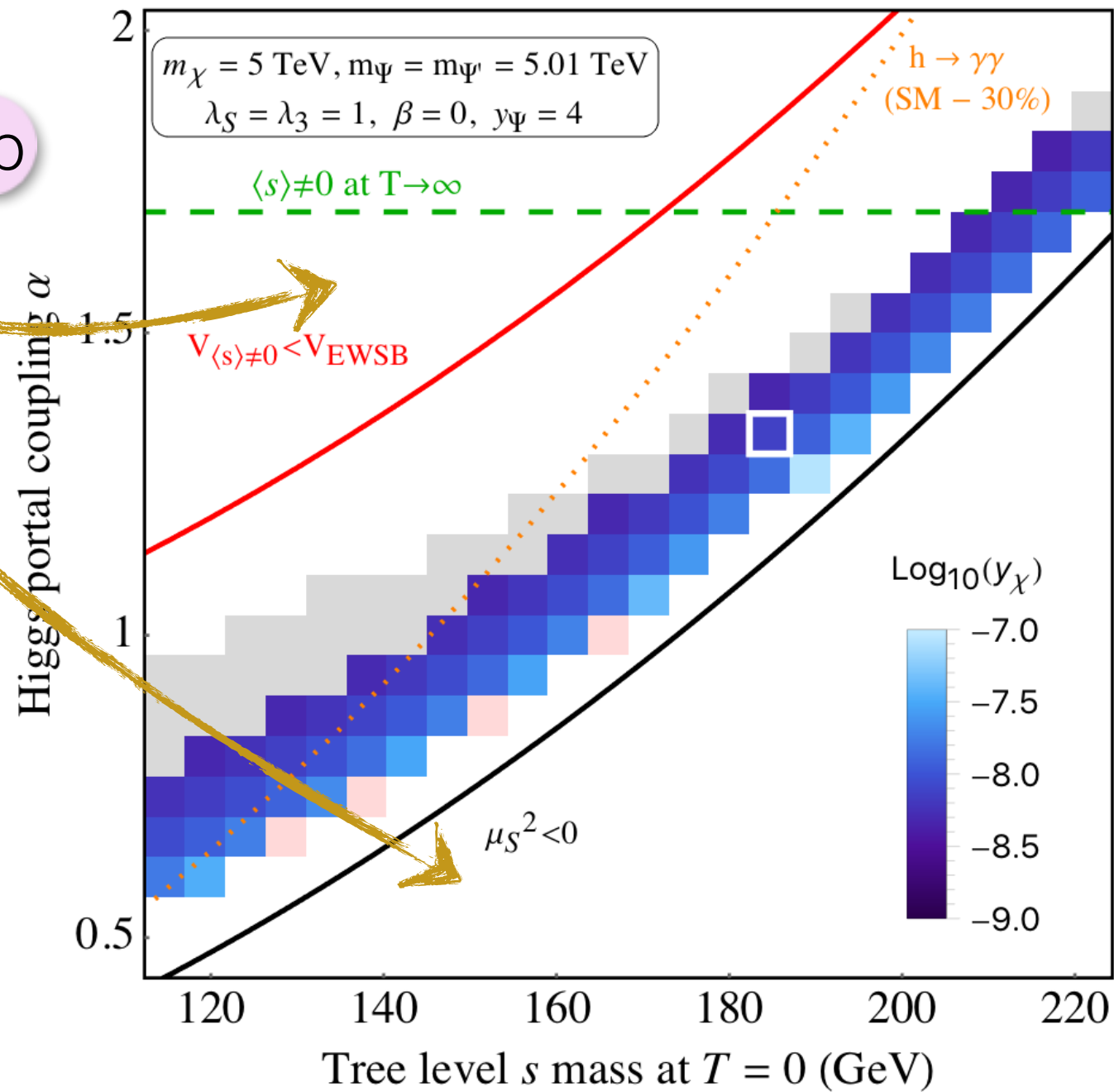
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Parameter Space

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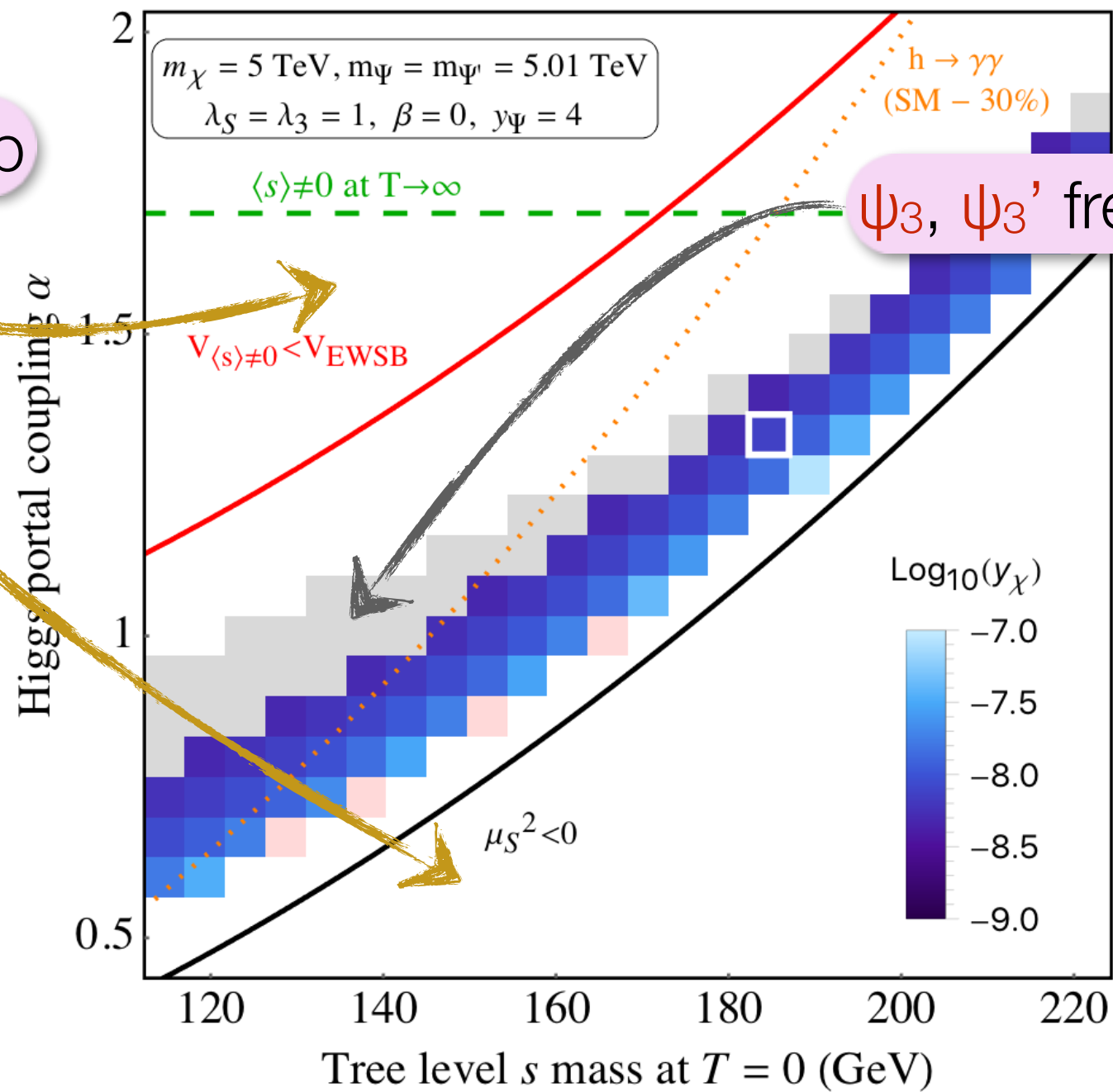
no vev flip-flop



Parameter Space

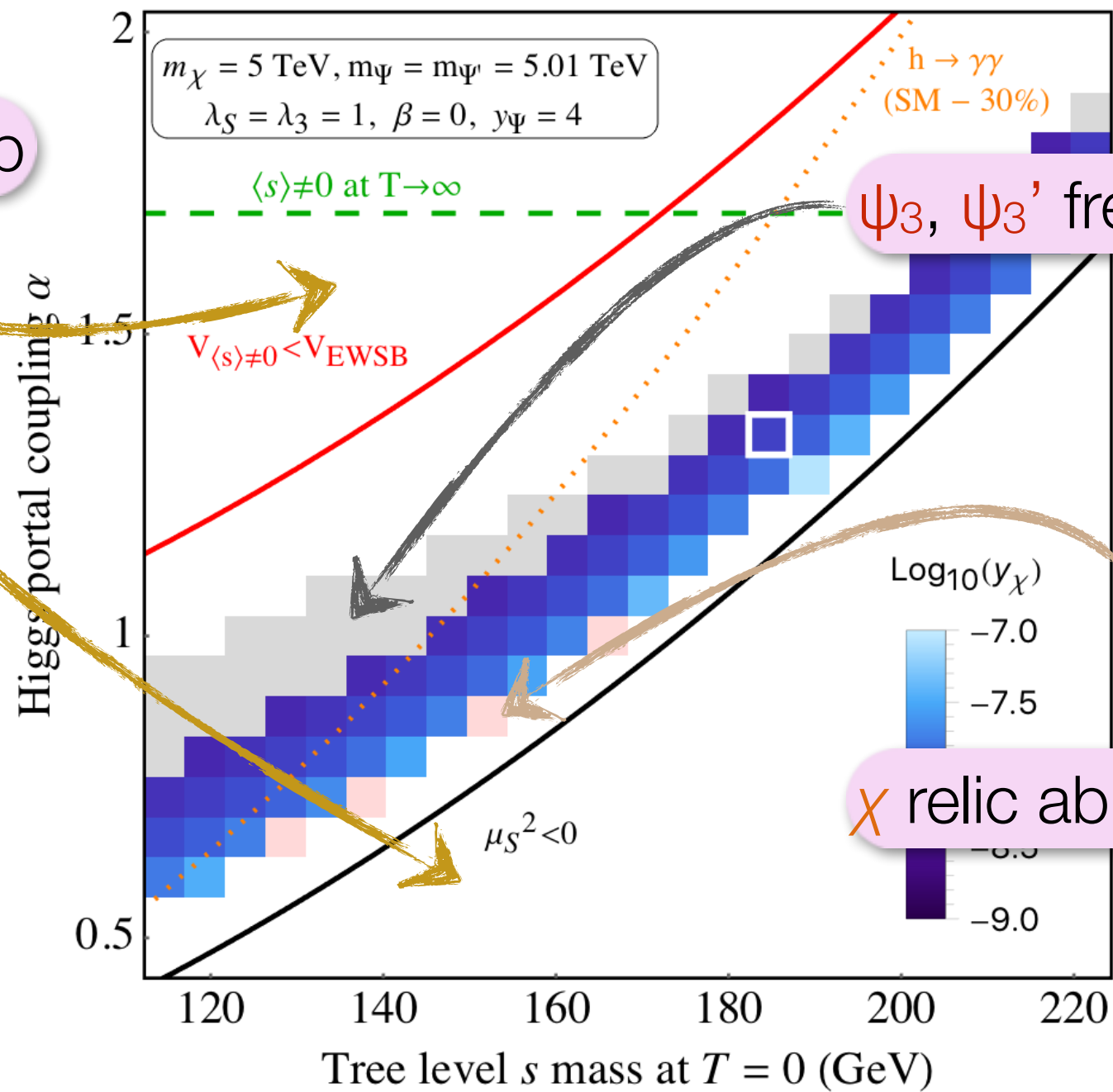
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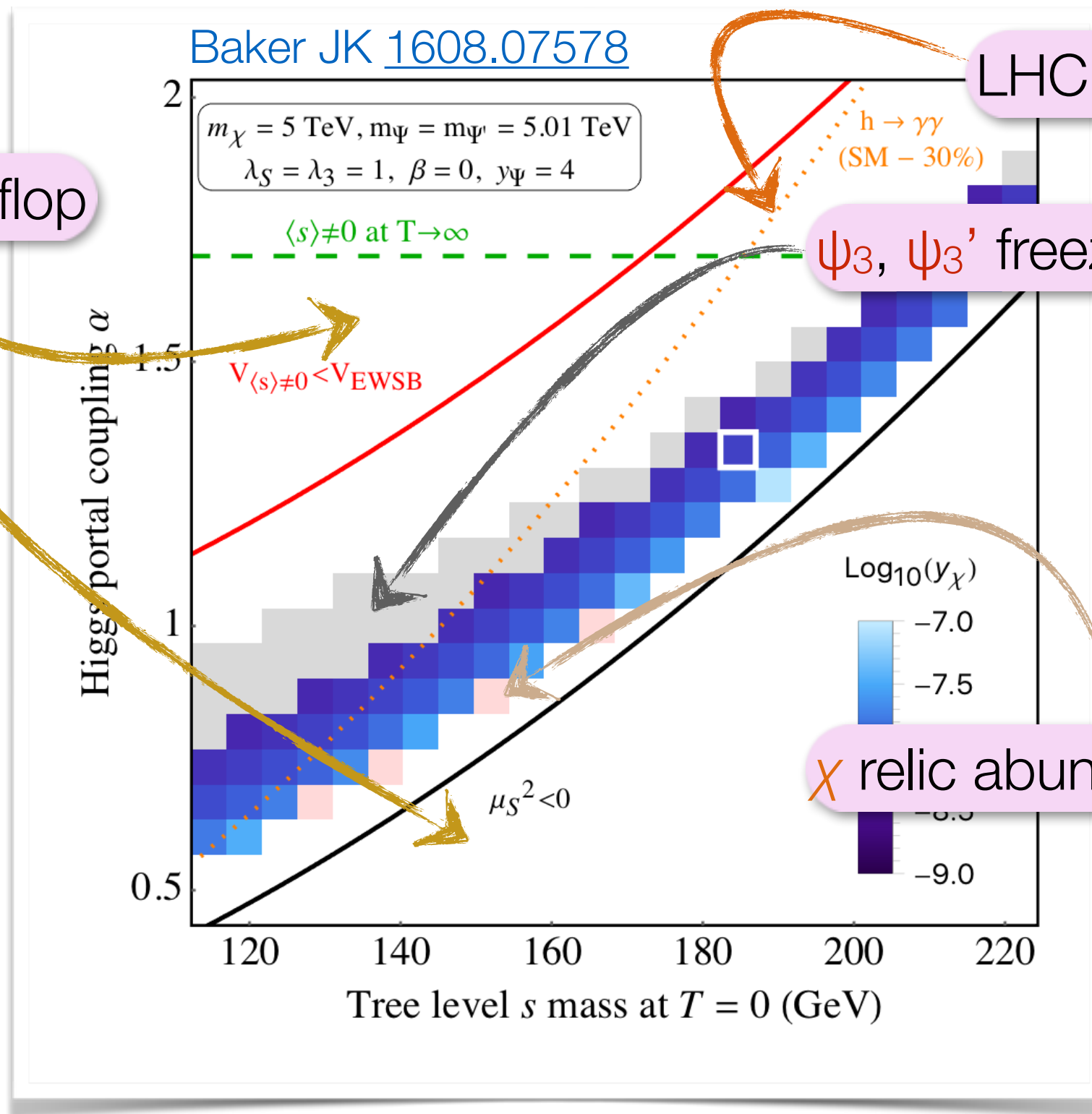


Parameter Space

Baker JK [1608.07578](#)



Parameter Space



Thermal Effects in DM Freeze-In



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DM Freeze-In in Higgs Portal Models

☑ Toy Model: SM + singlet scalar S + DM fermion χ + fermion ψ

$$\mathcal{L} \supset \frac{1}{2}(\partial_\mu S)(\partial^\mu S) + \bar{\psi}(i\not{\partial} - m_\psi)\psi + \bar{\chi}(i\not{\partial} - m_\chi)\chi \\ + [y_{\psi\chi}\bar{\psi}S\chi + h.c.] + y_\chi\bar{\chi}\chi S + y_\psi\bar{\psi}\psi S - V(H, S)$$

☑ Scalar Potential:

$$V(H, S) = -\mu_H^2 H^\dagger H + \lambda_{H4} (H^\dagger H)^2 - \frac{1}{2}\mu_S^2 S^2 + \frac{\lambda_{S4}}{4!} S^4 \\ + \frac{\lambda_{S3}}{3!} \mu_S S^3 + \lambda_{p3}\mu_S S(H^\dagger H) + \frac{\lambda_{p4}}{2} S^2(H^\dagger H) .$$

Baker Breitbach JK Mitnacht [1712.03962](#)

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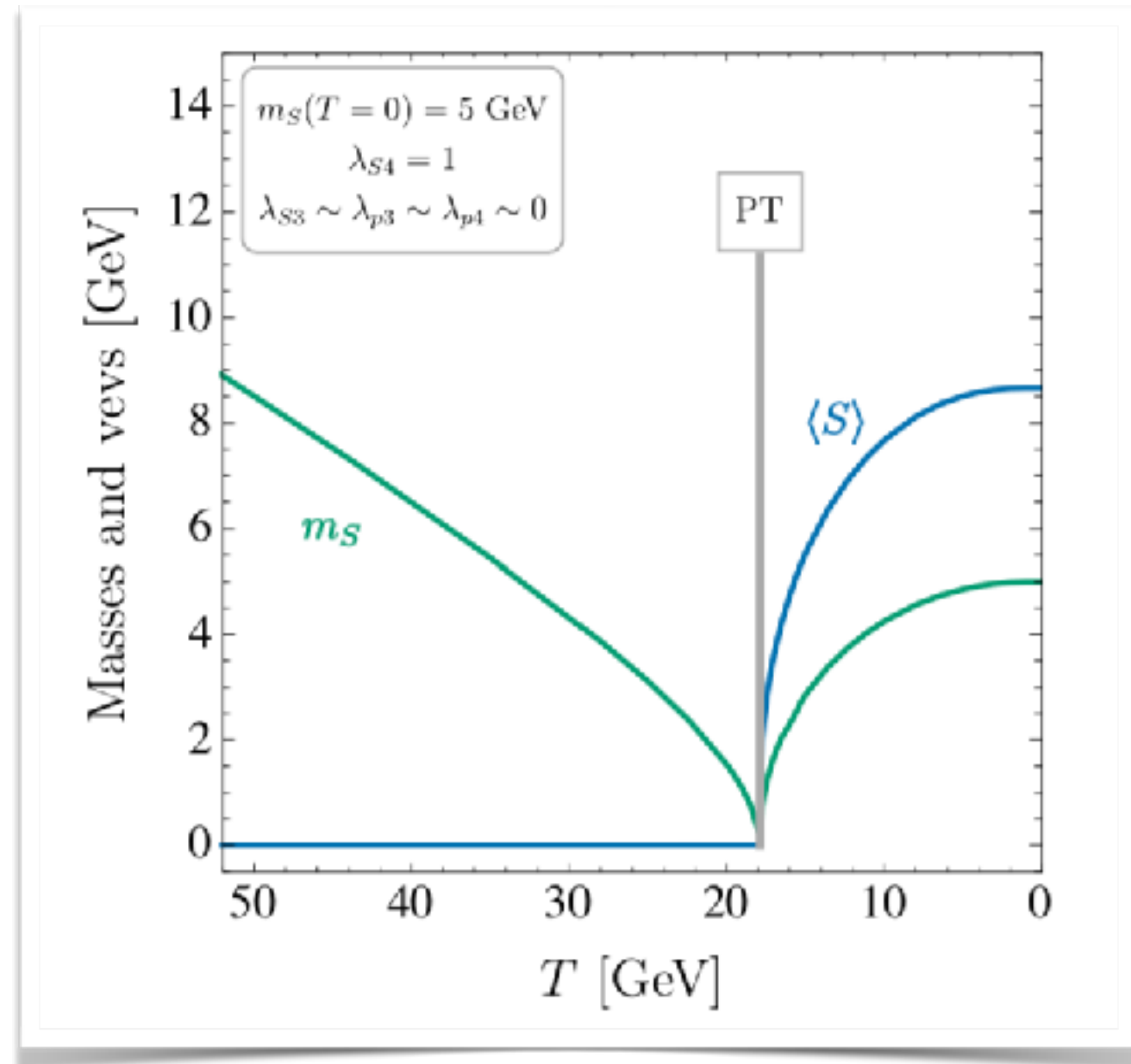
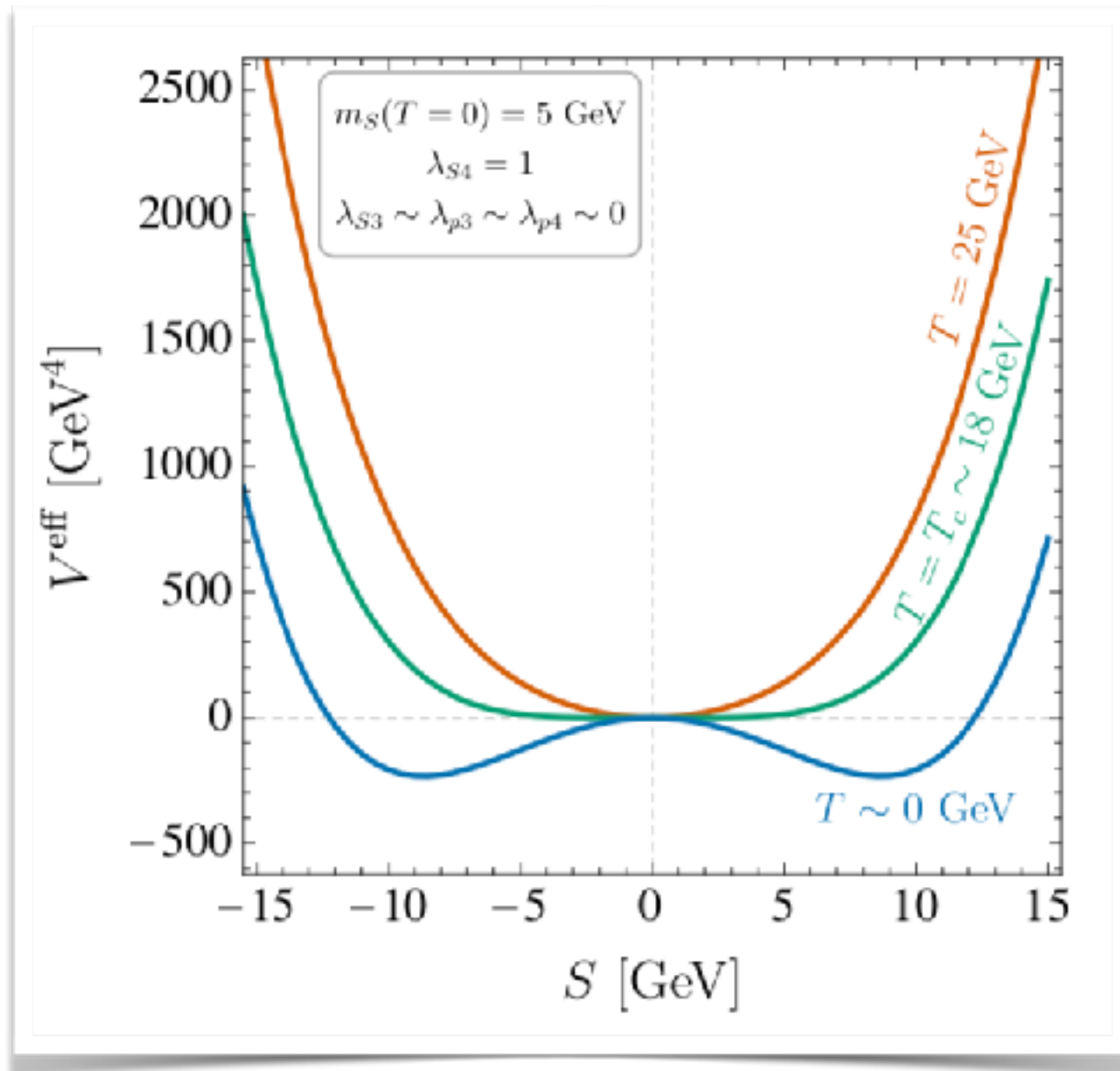
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assumed small

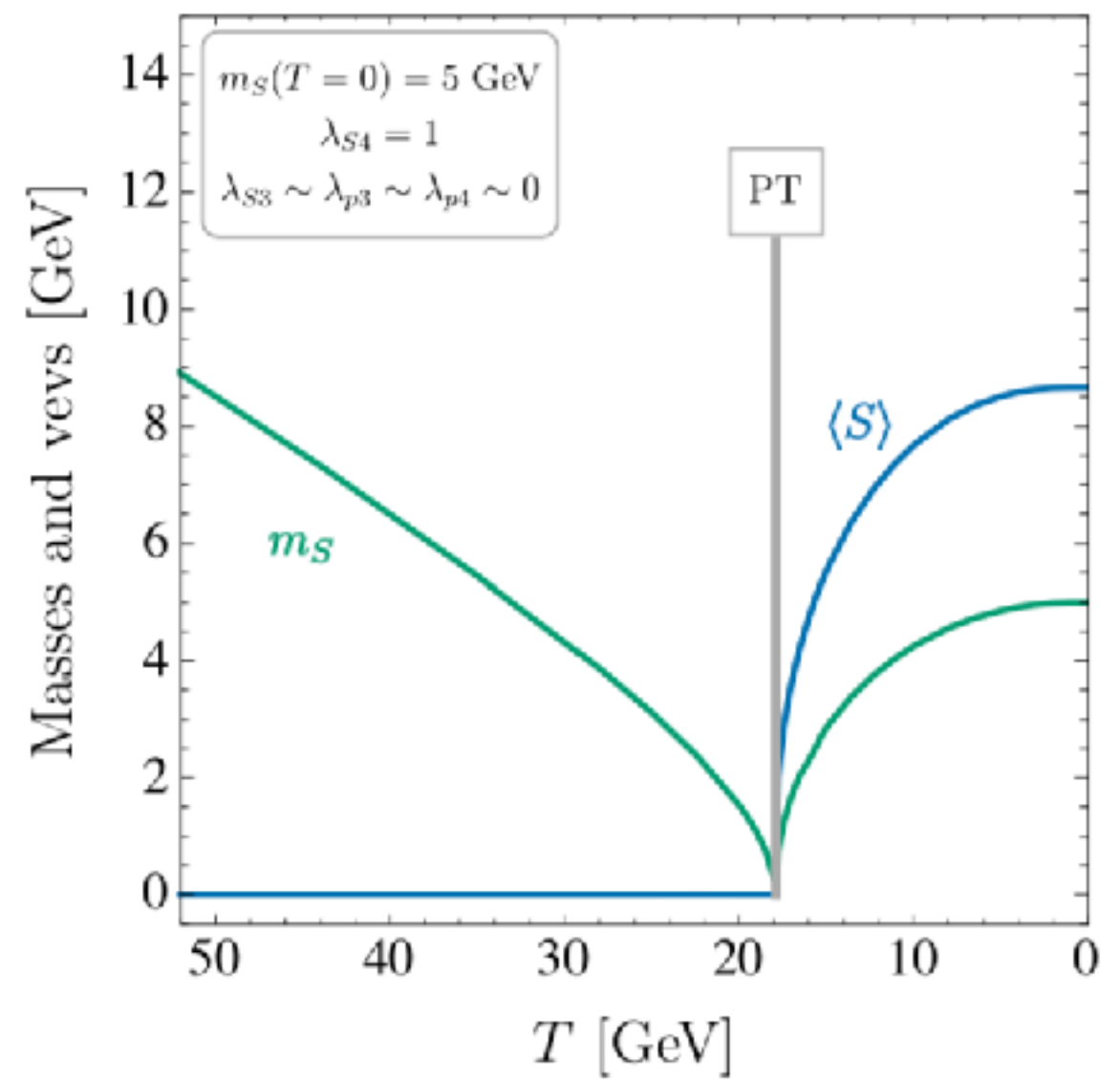
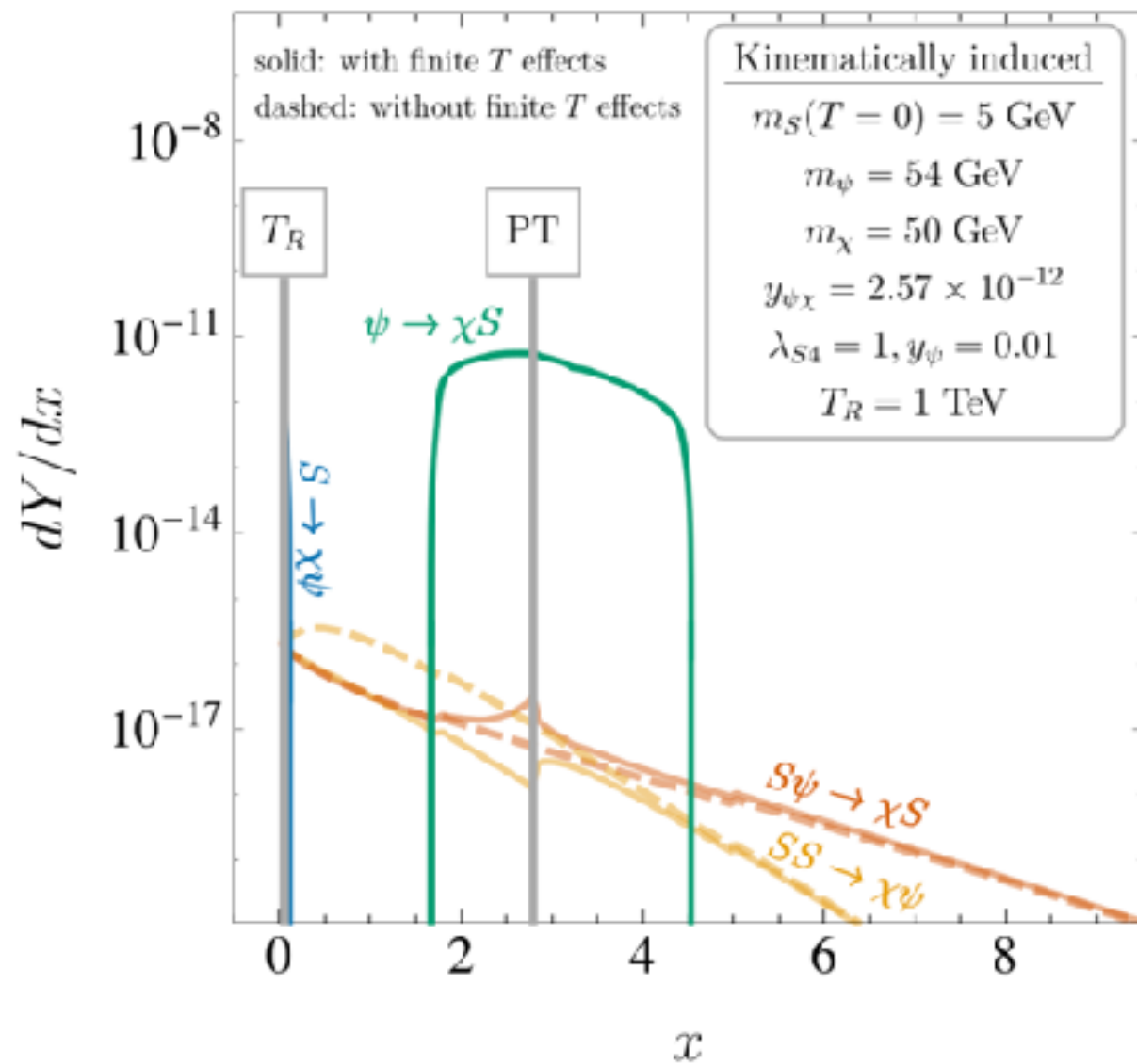
Baker Breitbach JK Mitnacht [1712.03962](#)

Effective Potential and Thermal Masses

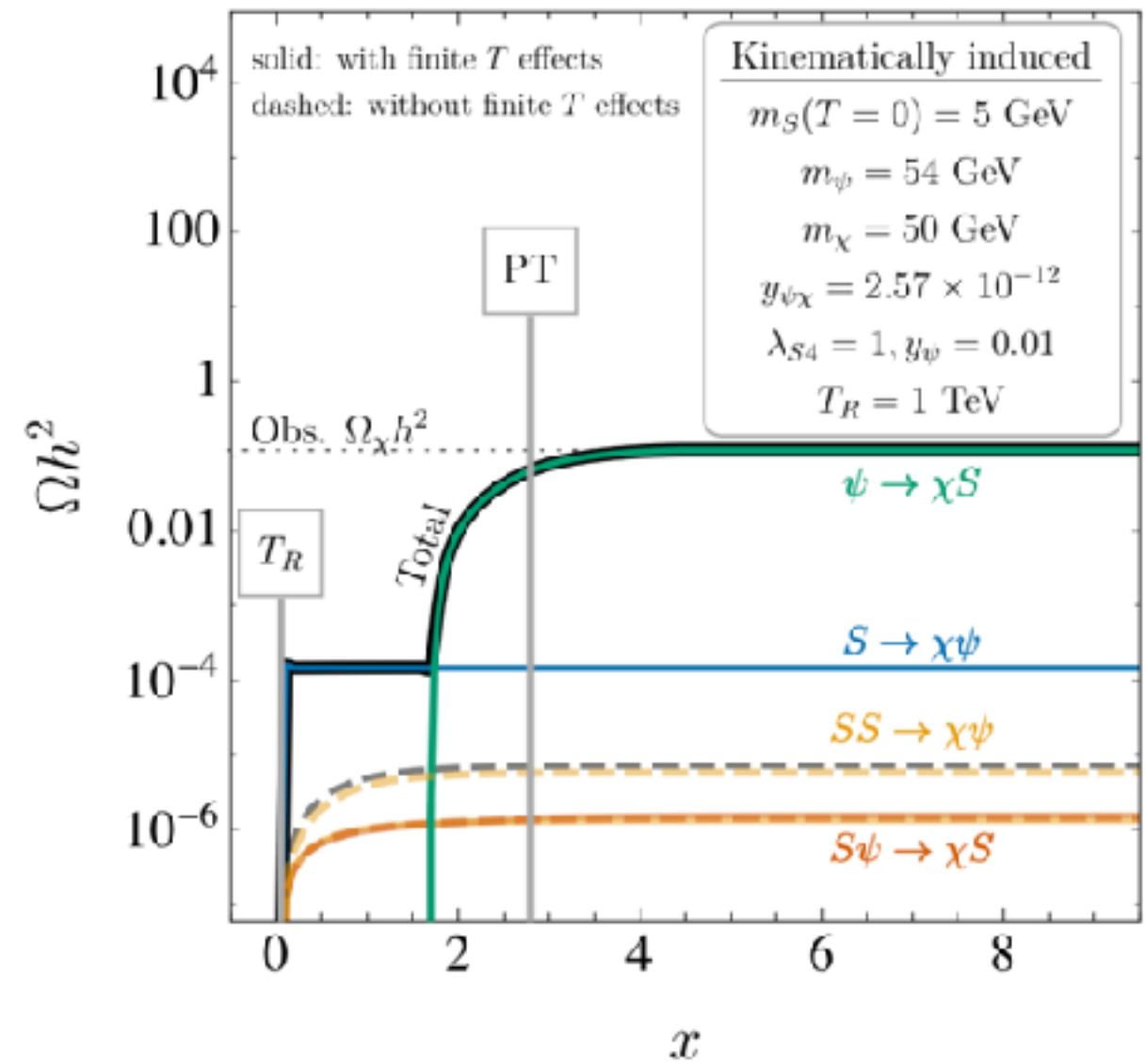
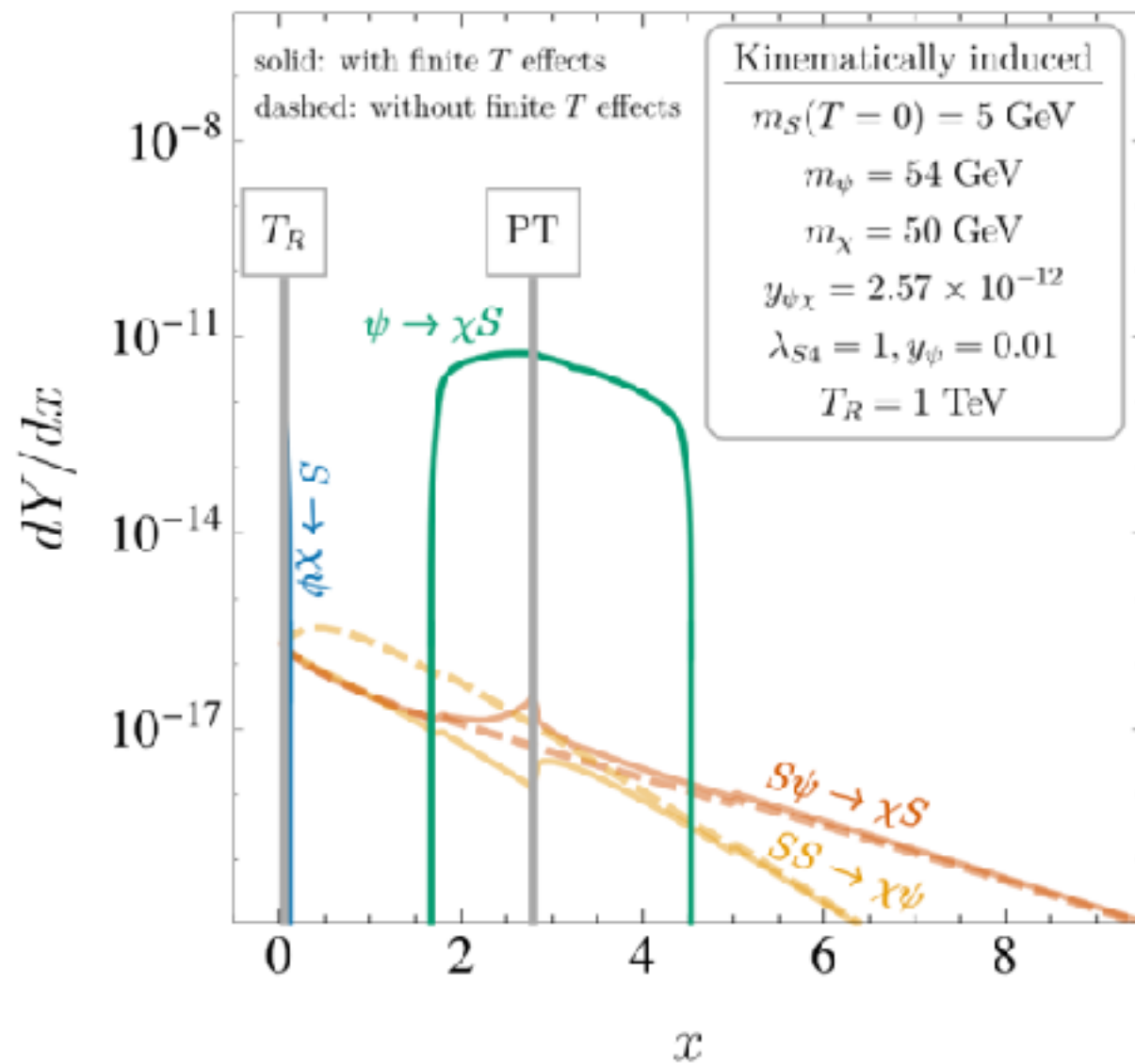


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DM Freeze-In



DM Freeze-In



Variation: Vev Flip-Flop Freeze-In

☑ Toy Model: SM + singlet scalar S + DM fermion χ

$$\mathcal{L} \supset \frac{1}{2}(\partial_\mu S)(\partial^\mu S) + \bar{\chi}(i\not{\partial} - m_\chi)\chi + y_\chi \bar{\chi}\chi S - V(H, S)$$

☑ Scalar Potential:

$$V(H, S) = -\mu_H^2 H^\dagger H + \lambda_{H4} (H^\dagger H)^2 - \frac{1}{2}\mu_S^2 S^2 + \frac{\lambda_{S4}}{4!} S^4 \\ + \frac{\lambda_{S3}}{3!} \mu_S S^3 + \lambda_{p3} \mu_S S (H^\dagger H) + \frac{\lambda_{p4}}{2} S^2 (H^\dagger H) .$$

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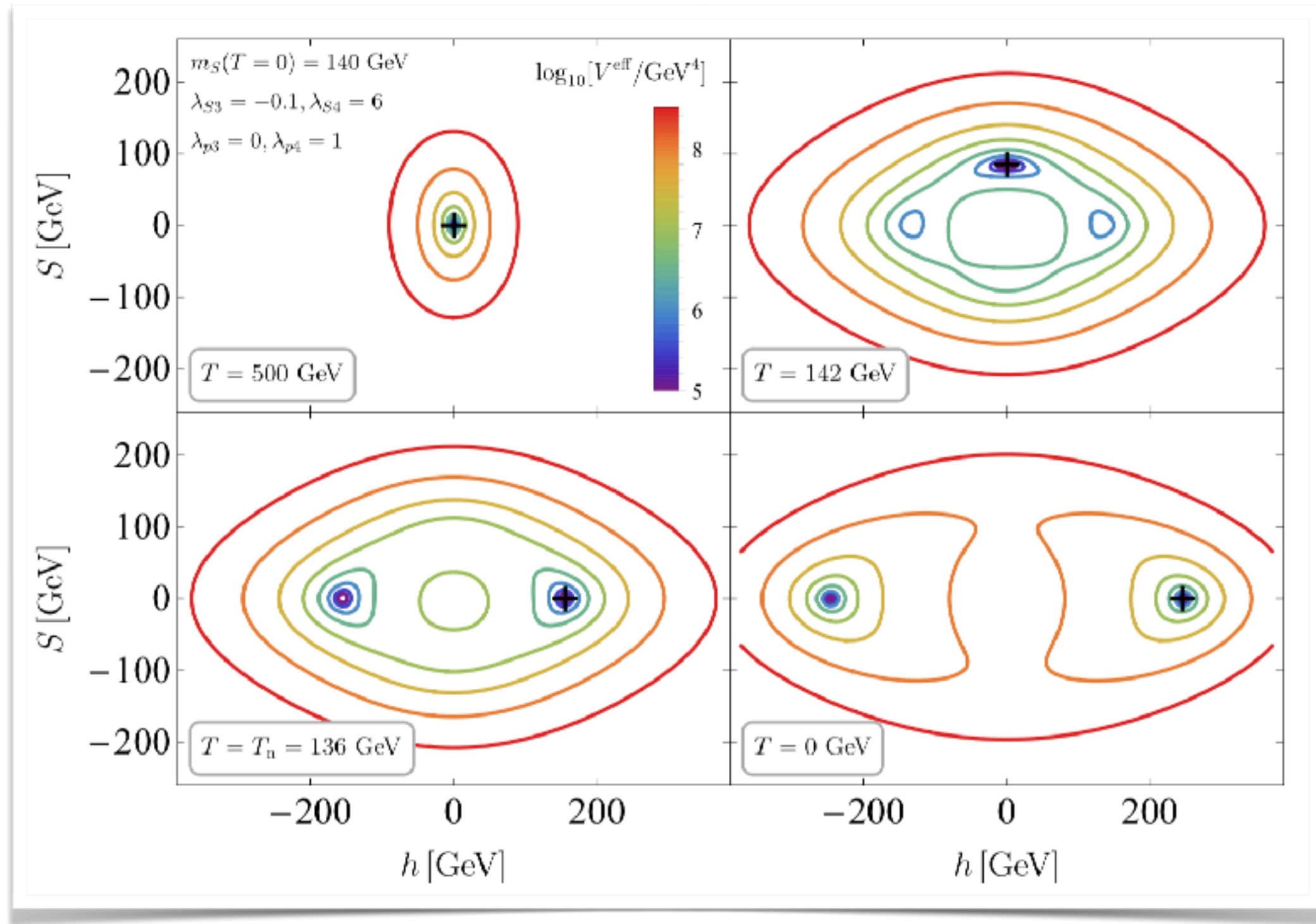
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assumed small

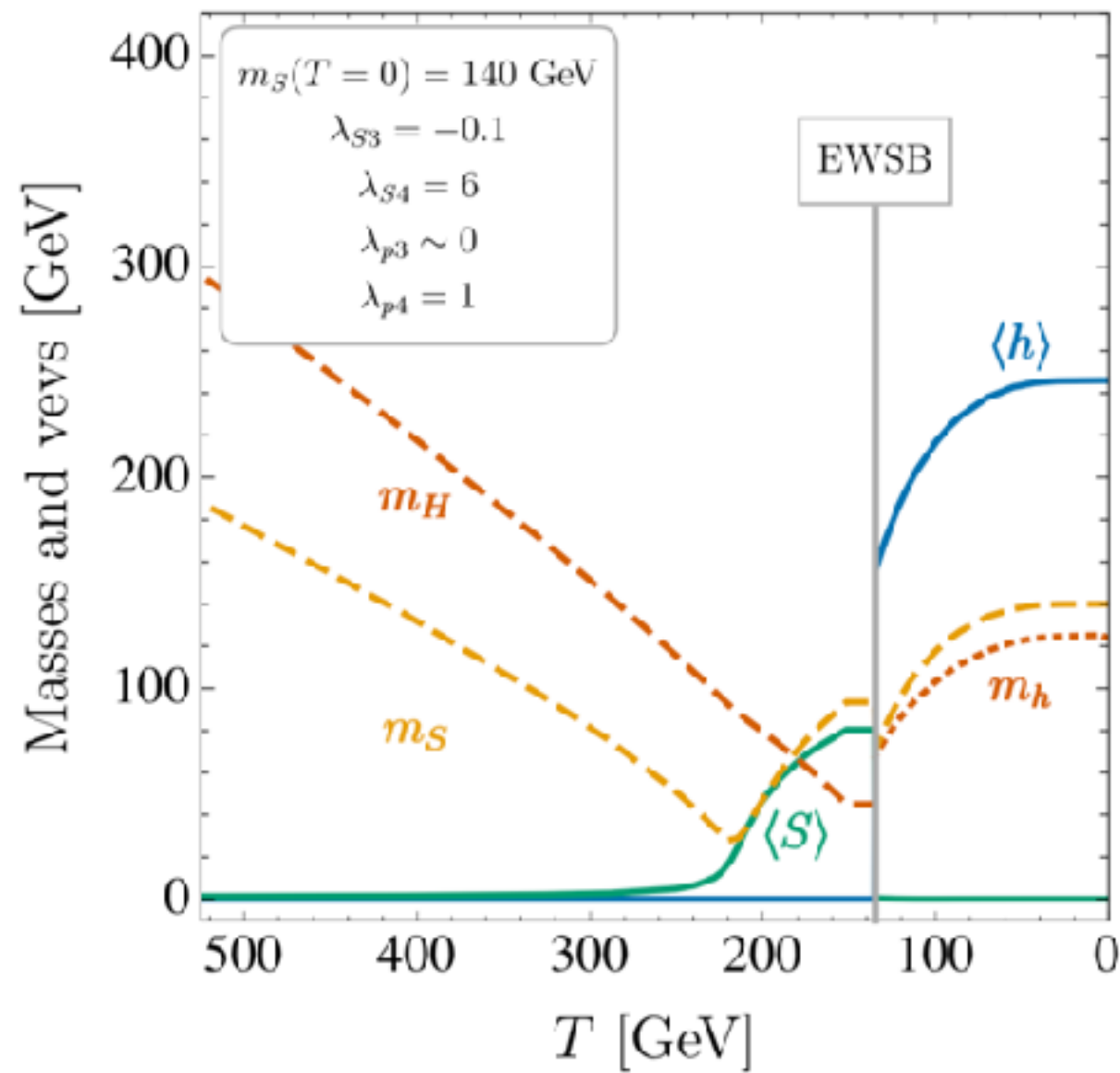
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Vev Flip-Flop in the Scalar Potential

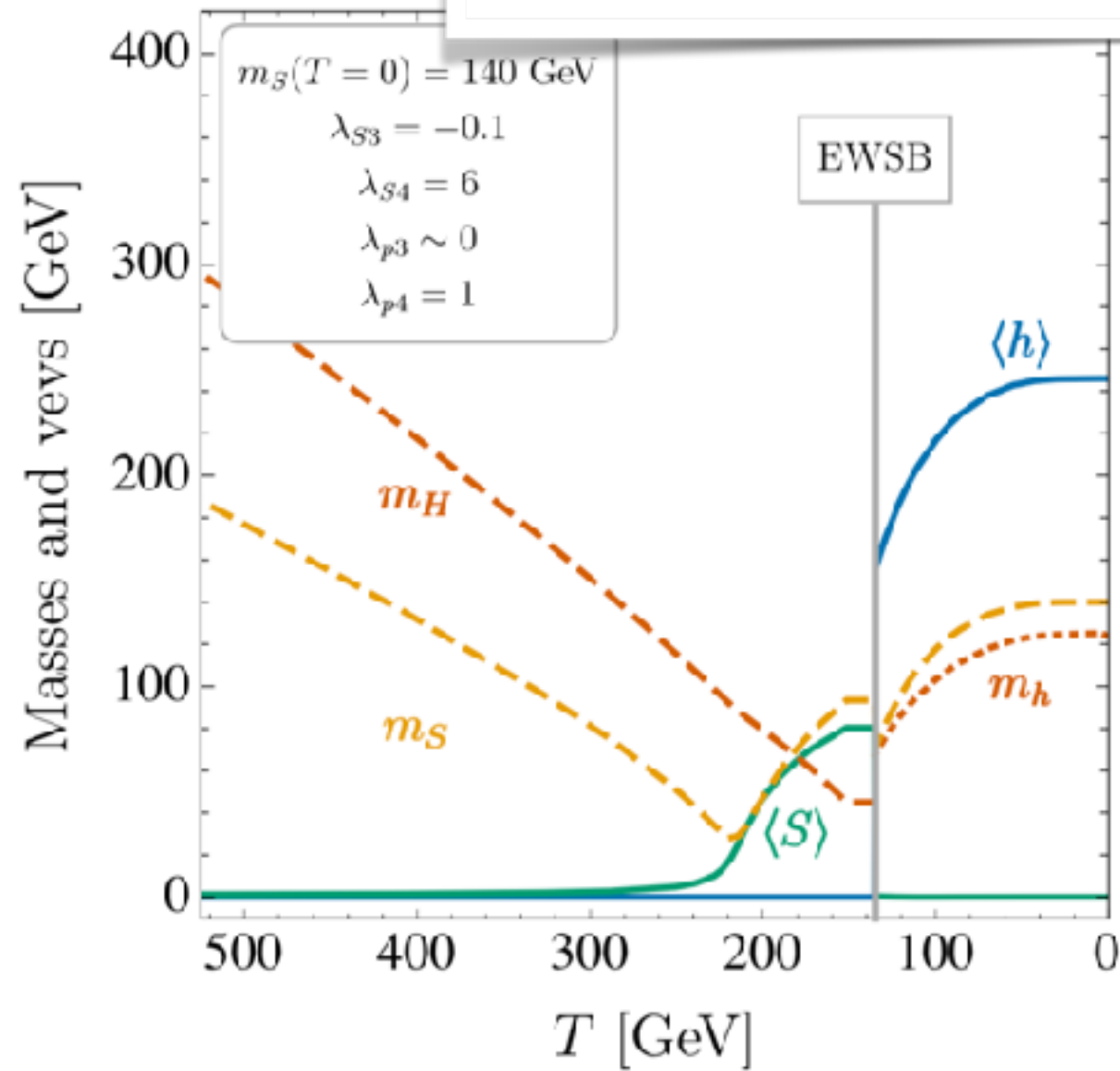
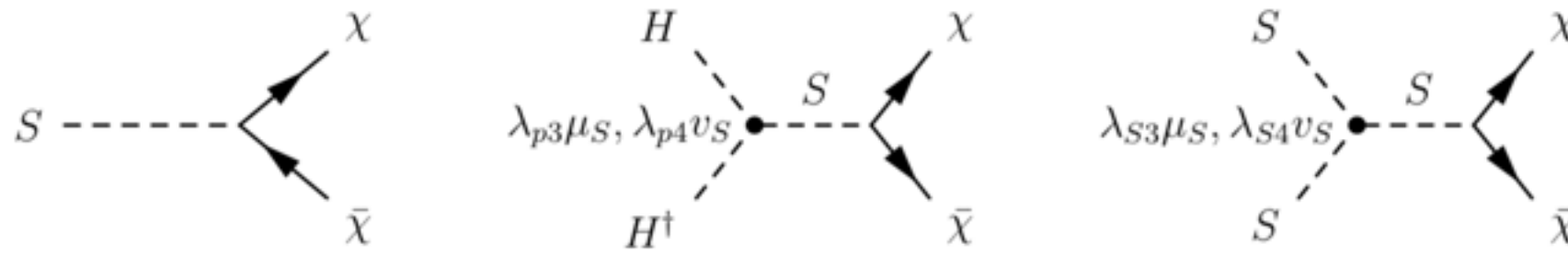


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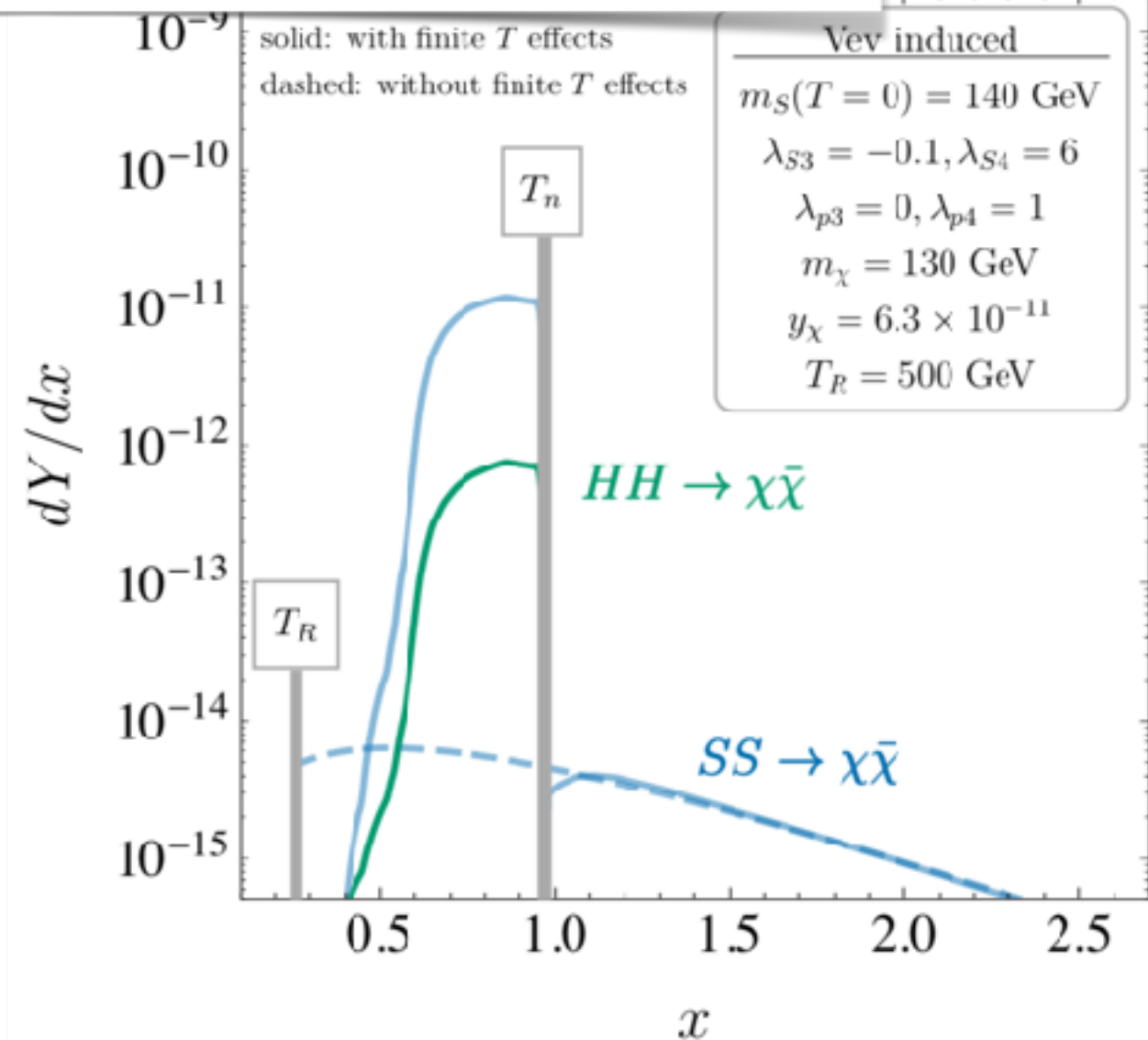
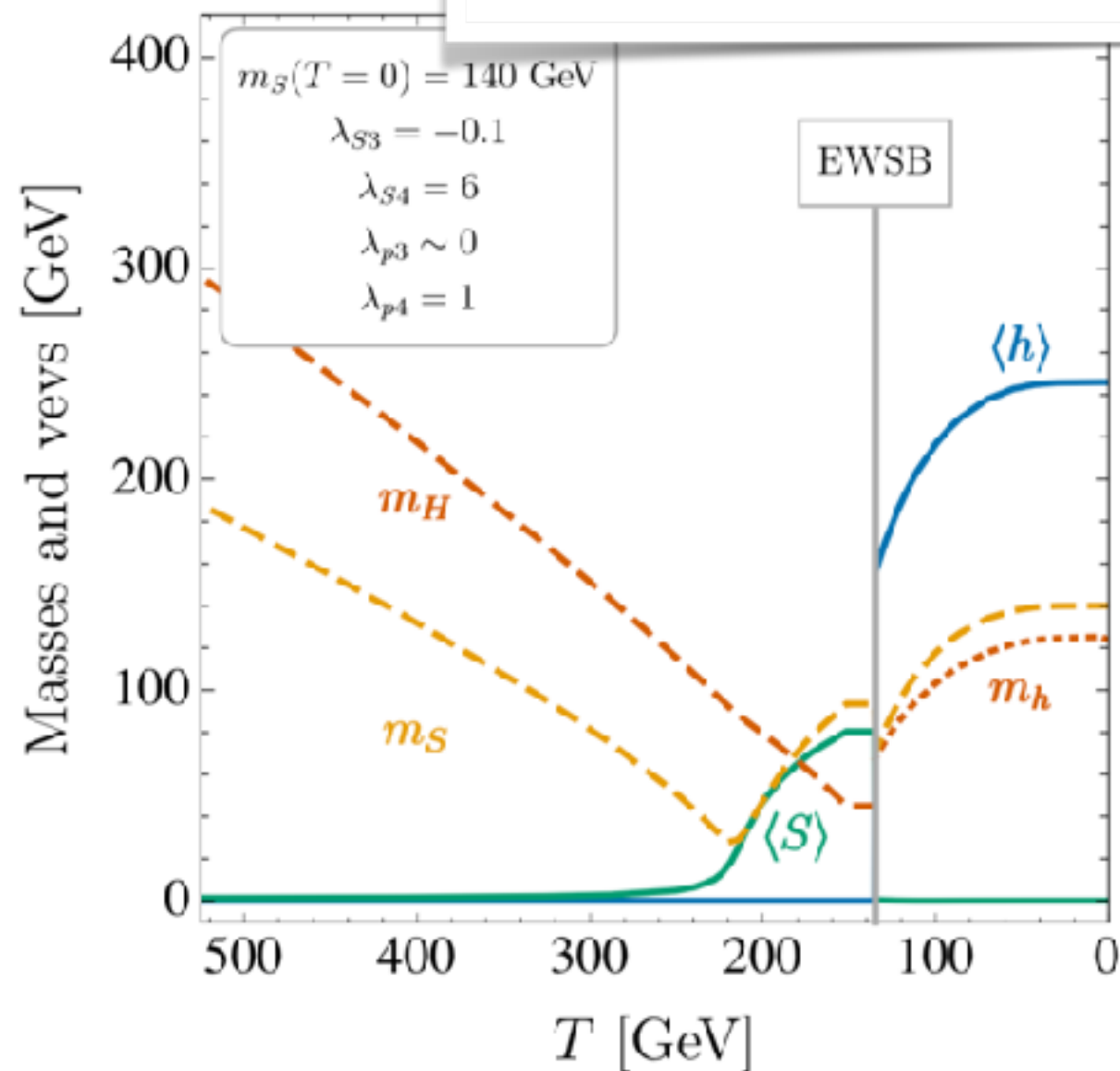
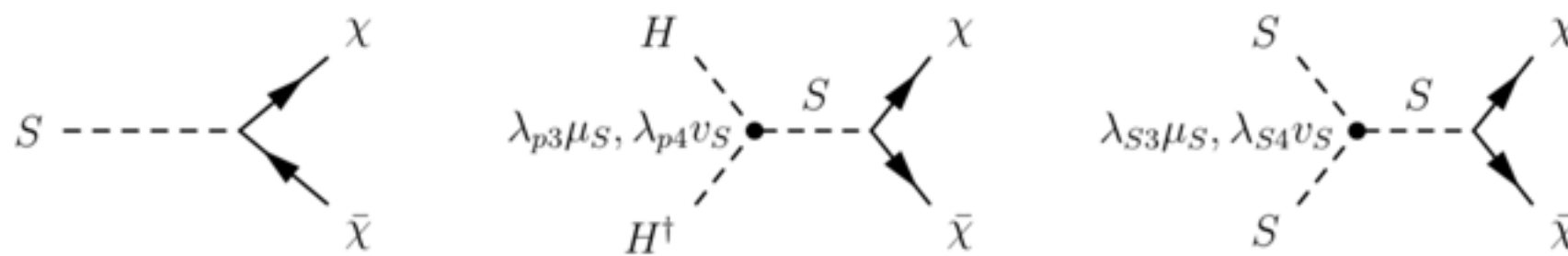
Scalar Masses and Vevs, DM Freeze-In



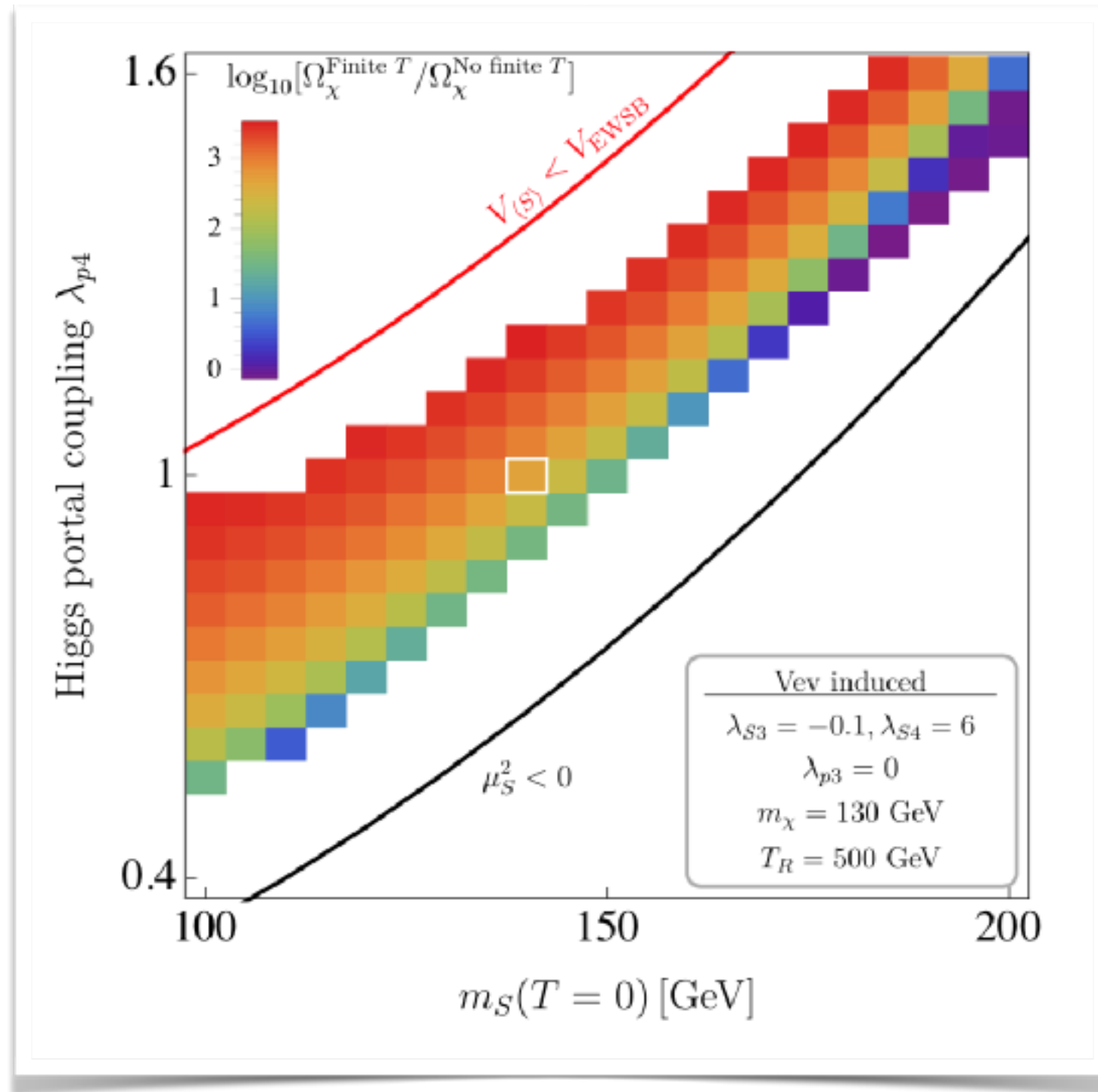
Scalar Masses and Vevs, DM Freeze-In



Scalar Masses and Vevs, DM Freeze-In



Impact of Finite-T Effects: Parameter Scan



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Summary



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Summary

Thermal Effects in the Early Universe

- ☑ can (temporarily) affect **DM stability** via phase transitions
- ☑ can affect **kinematics of freeze-in**
- ☑ can **open/close production channels** in phase transitions
- ➡ **DM abundance** may crucially depend on thermal effects

Summary

Thermal Effects in the Early Universe

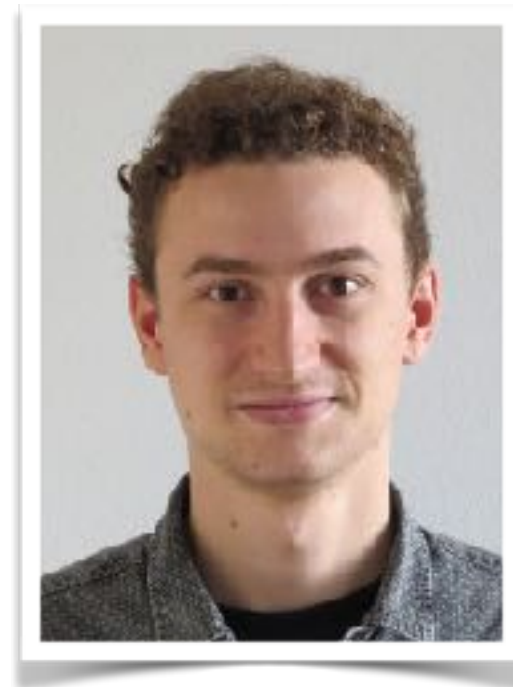
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Mike Baker



Moritz Breitbach



Lukas Mittnacht

Thank you!



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